

LHC commissioning

**(early) Beyond Standard
Model (BSM) physics**

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ETHZ/CERN**

LHC commissioning and (early) BSM physics

... a most exciting adventure!

- Where do we start from?
The possible BSM roads
- Status of LHC, machine and detectors,
and their commissioning
- Re-discovering the Standard Model
BSM explorations
 - * Supersymmetry
 - * Other scenarios
- Towards a model-independent approach

LECTURE 1 A

WHAT DO WE KNOW?

OVERVIEW OF BSM PHYSICS

WHERE DO WE START FROM?

- Constraints from the Earth:
LEP/SLC, Tevatron, HERA, (lower energies)
- Constraints from the sky
Dark matter, others

What did we learn from LEP, etc, about:

Standard Model

Higgs

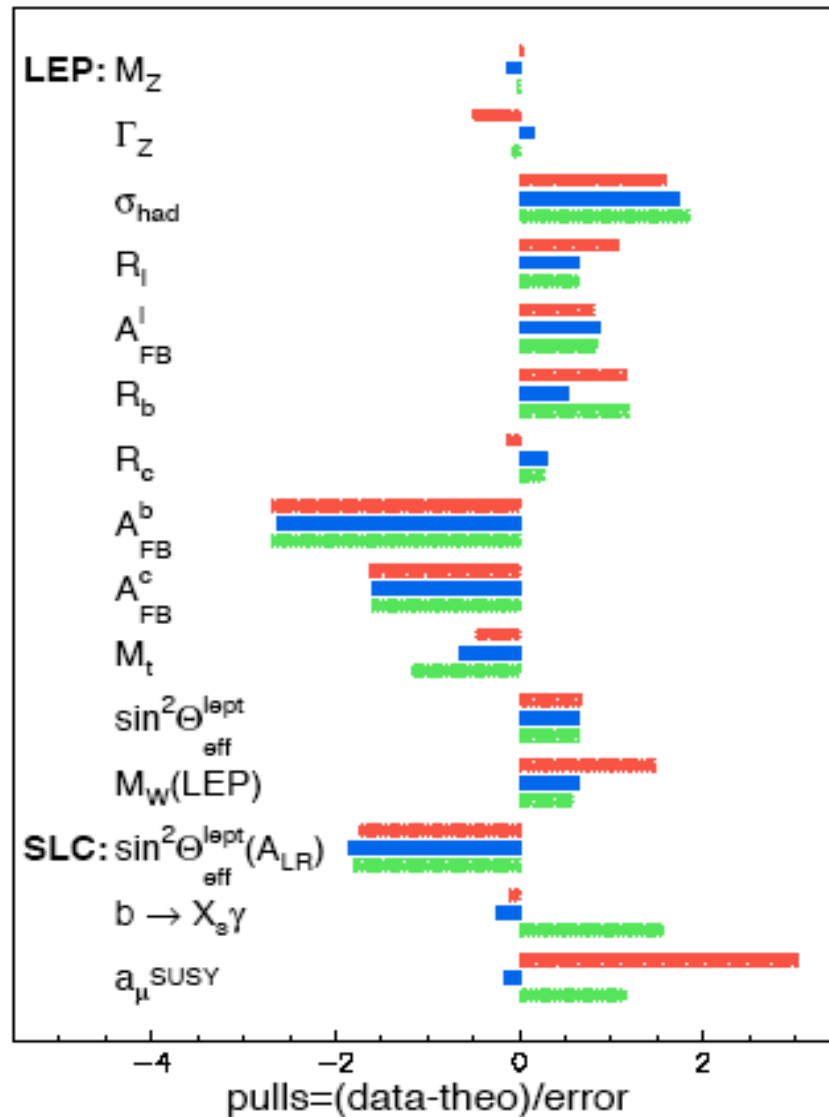
MSSM (Minimal Supersymmetric SM)

0511088 is hep-ph/ unless stated otherwise
0710.3022 is arXiv

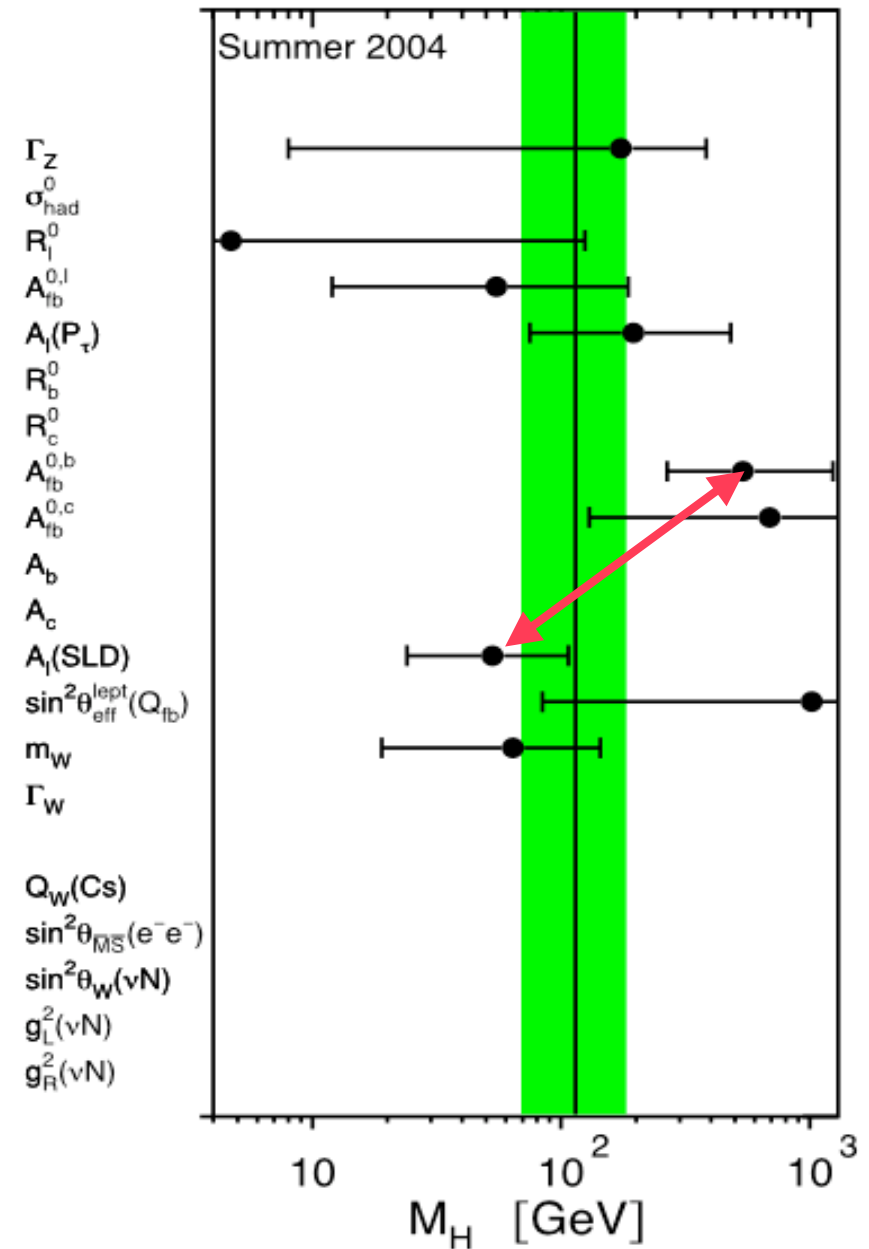
de Boer et al

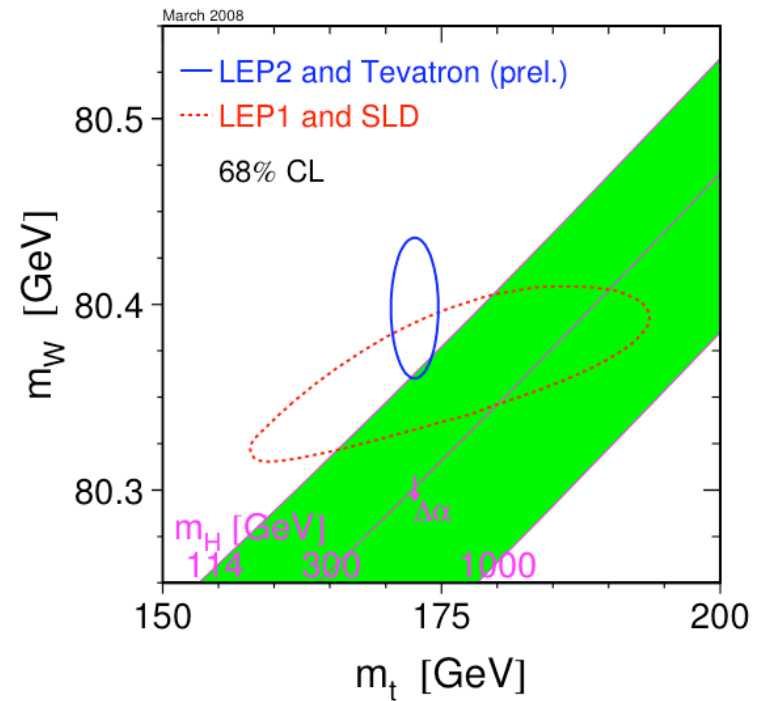
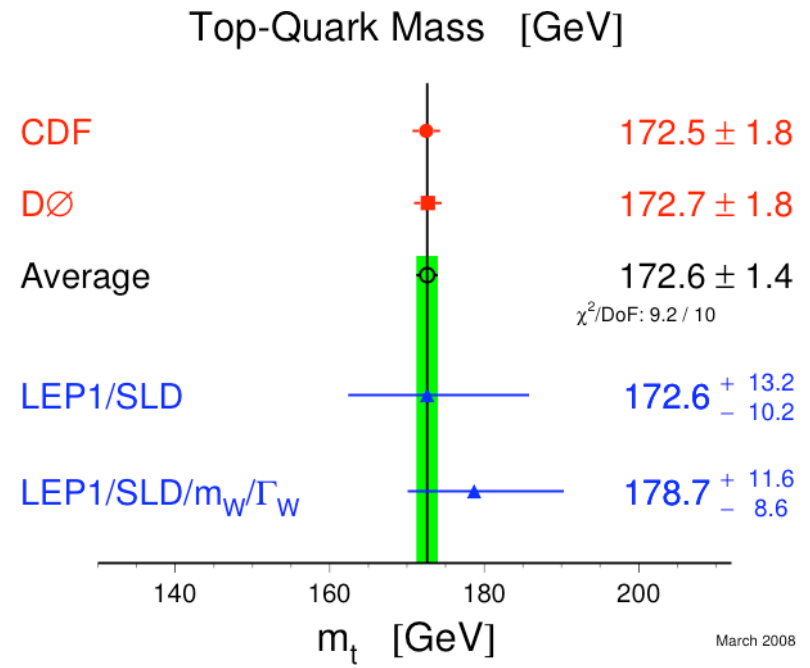
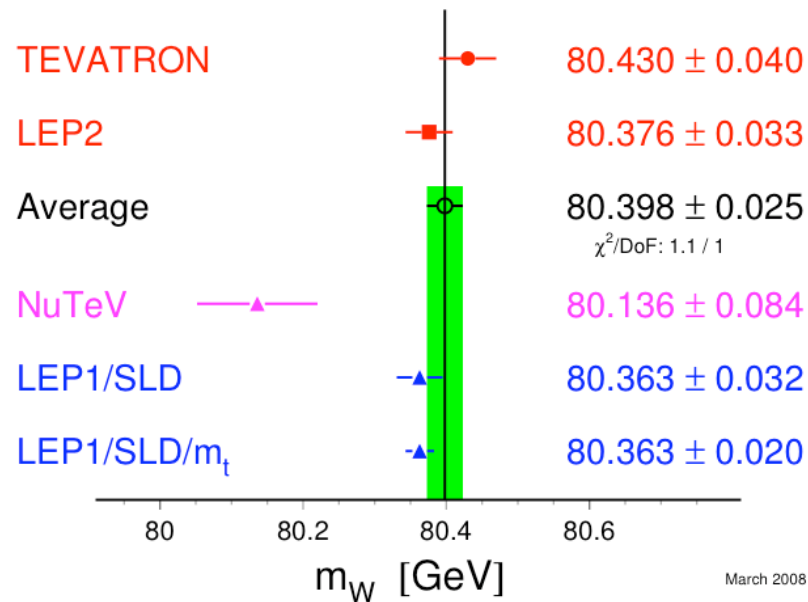
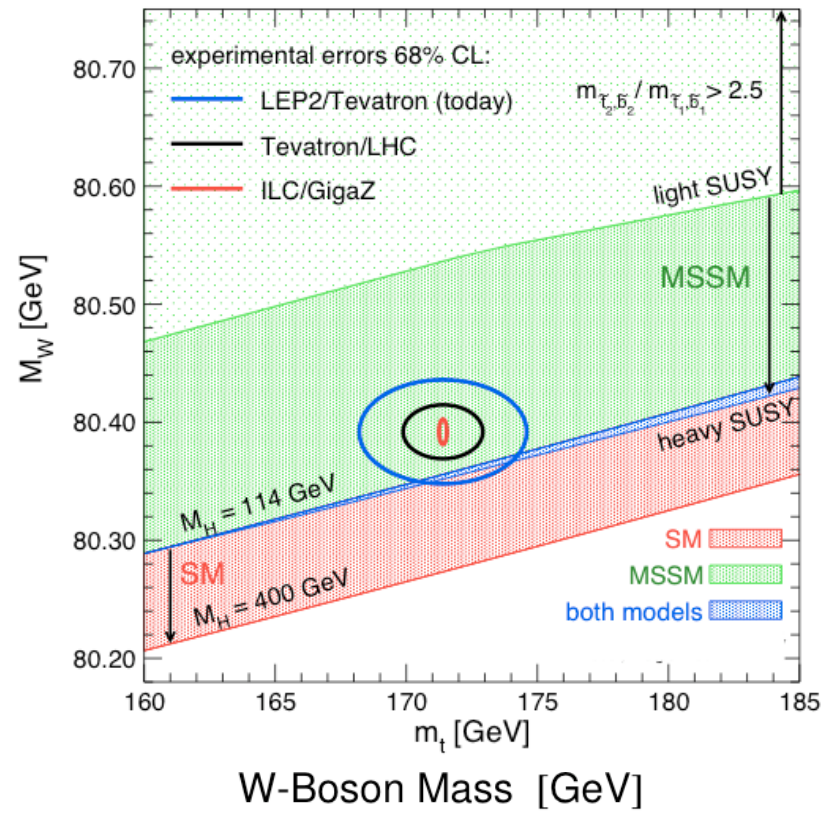
Pulls

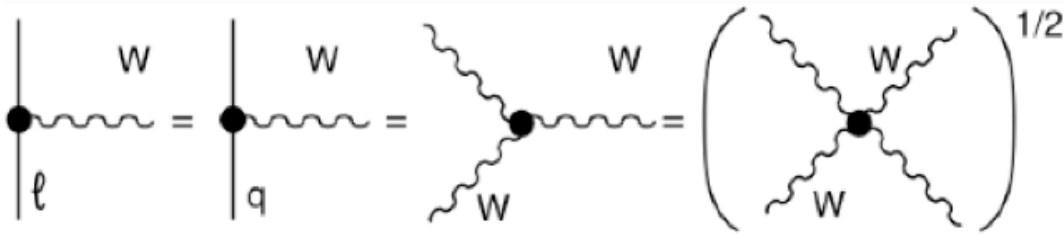
SM: $\chi^2/\text{d.o.f} = 33.1/17$
 MSSM: $\chi^2/\text{d.o.f} = 22.4/13$
 CMSSM: $\chi^2/\text{d.o.f} = 29.2/18$



M_H from various observables



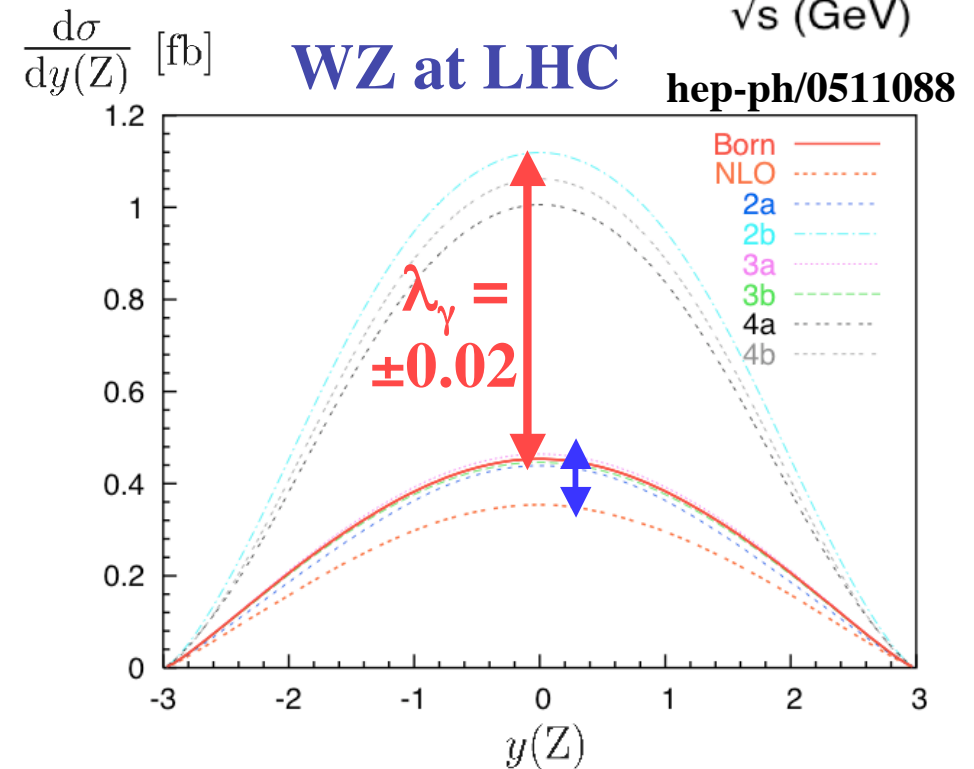
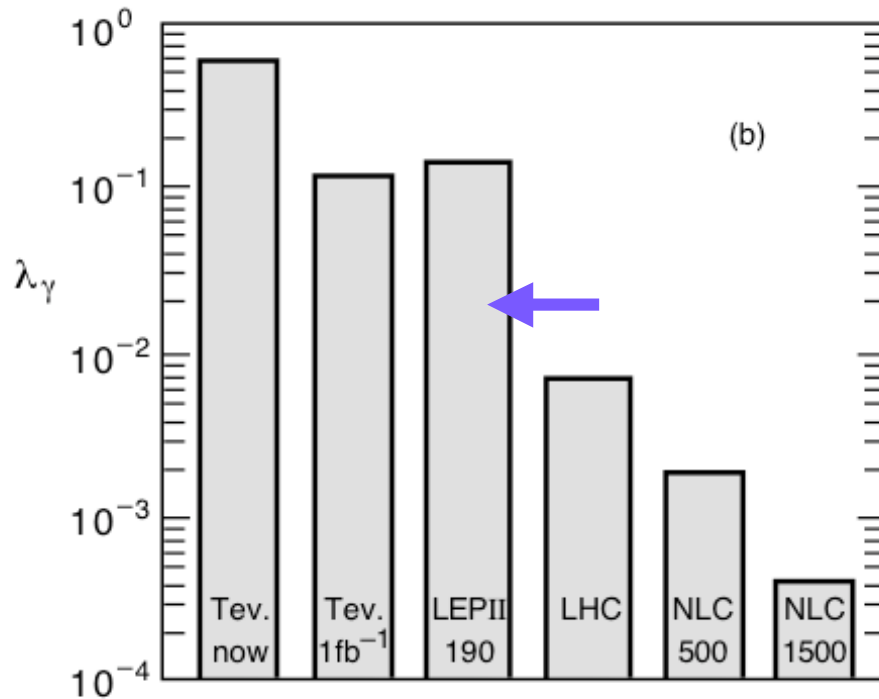
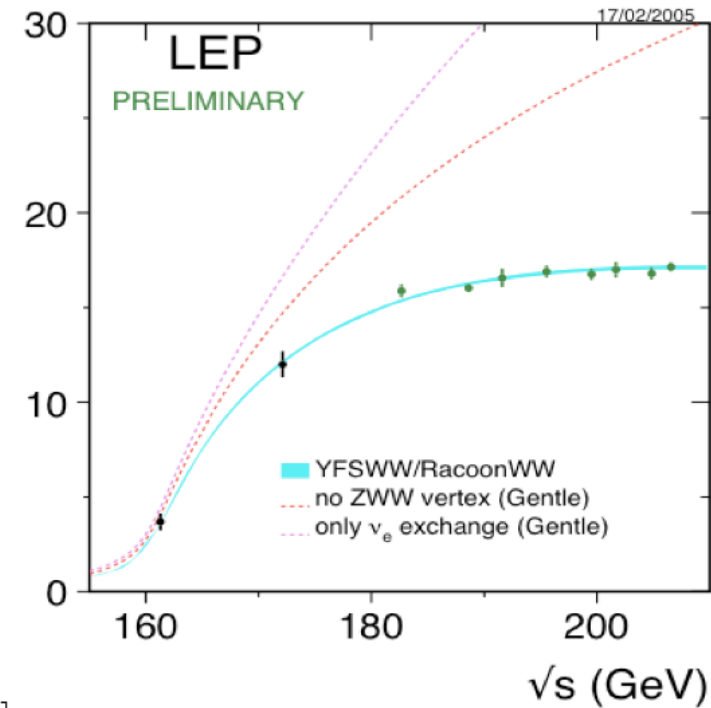




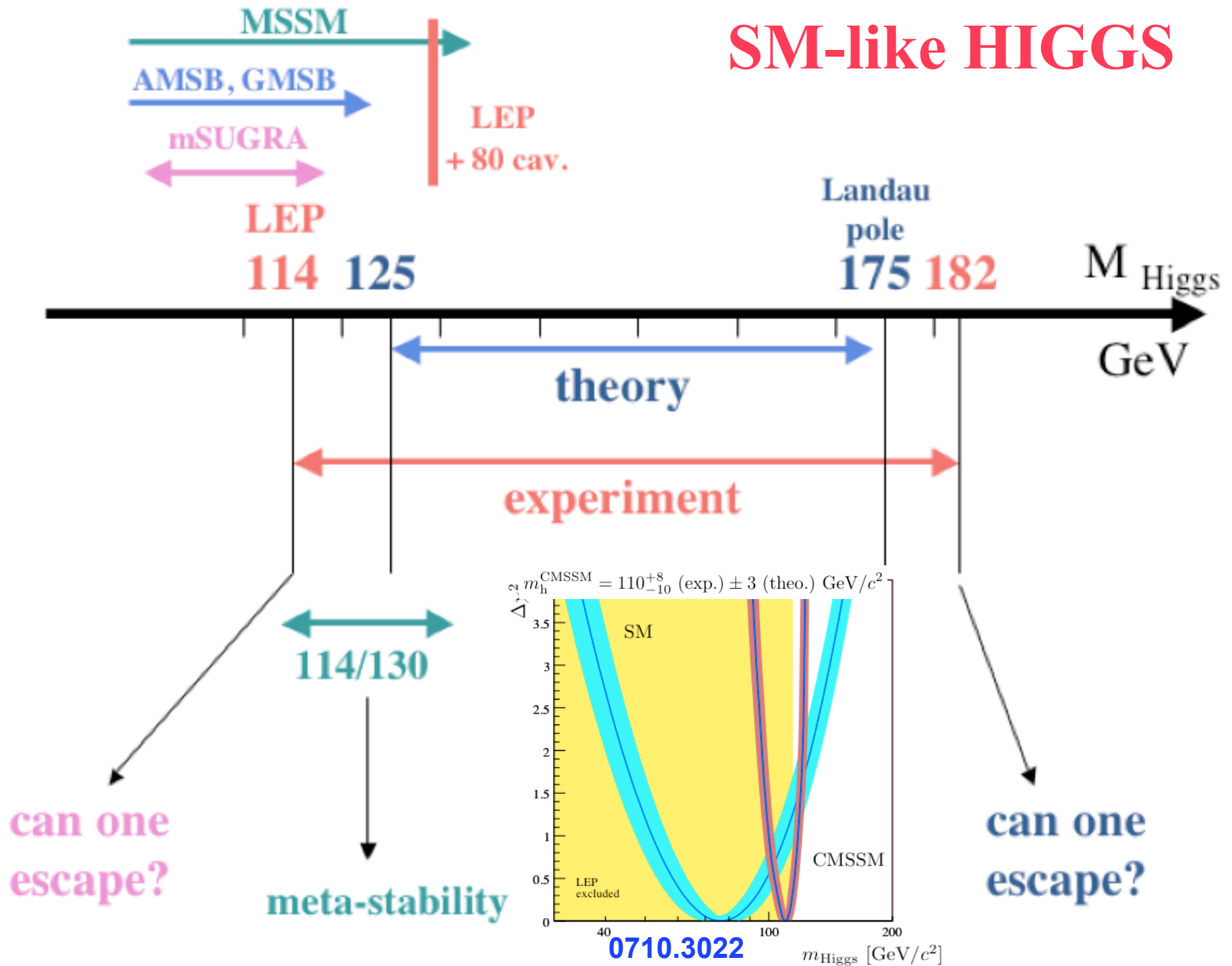
gauge boson couplings
are SM-like

W triple gauge couplings
measured at $\pm 2-4\%$

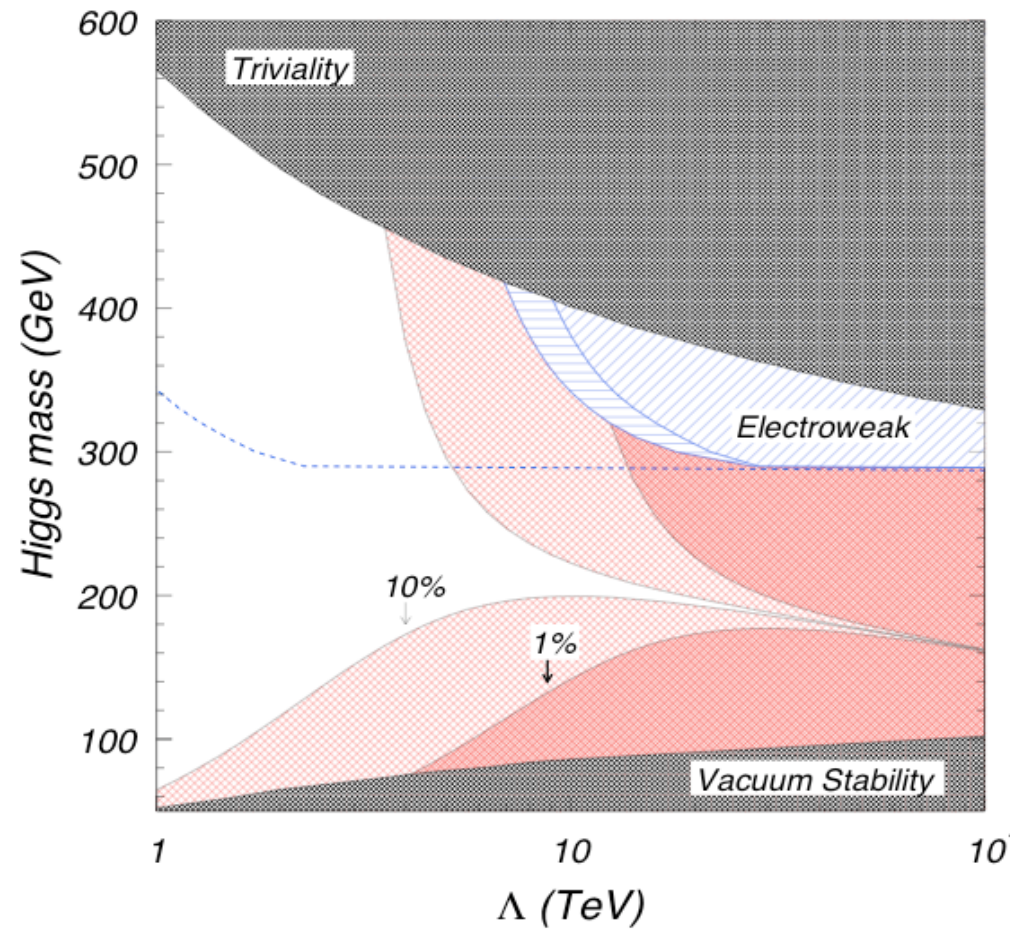
κ_γ	$= 0.984$	$+0.042$ -0.047
λ_γ	$= -0.016$	$+0.021$ -0.023
g_1^Z	$= 0.991$	$+0.022$ -0.021



SM-like HIGGS



**Kolda-
Murayama**



up to where
SM is valid

**SM Higgs:
fine tuning
increasing
with the cut-off**

$$M_H^2 = M_0^2 + \delta M_H^2$$



$$\delta M_H^2(\text{top}) \approx G_F M_{\text{top}}^2 \Lambda^2 \approx (0.3 \Lambda)^2$$

$$\Lambda = 5 \text{ TeV}$$

$$\delta M_H^2(\text{top}) = 2.25 \text{ TeV}^2$$

Other limits on Higgs bosons (GeV)

MSSM, small m_A	$m_h > 92.8$
	$m_A > 93.4$
charged	76.6 – 78.6
doubly charged	95.5
fermiophobic	109.7
invisible	114.2
flavour independent	112.9

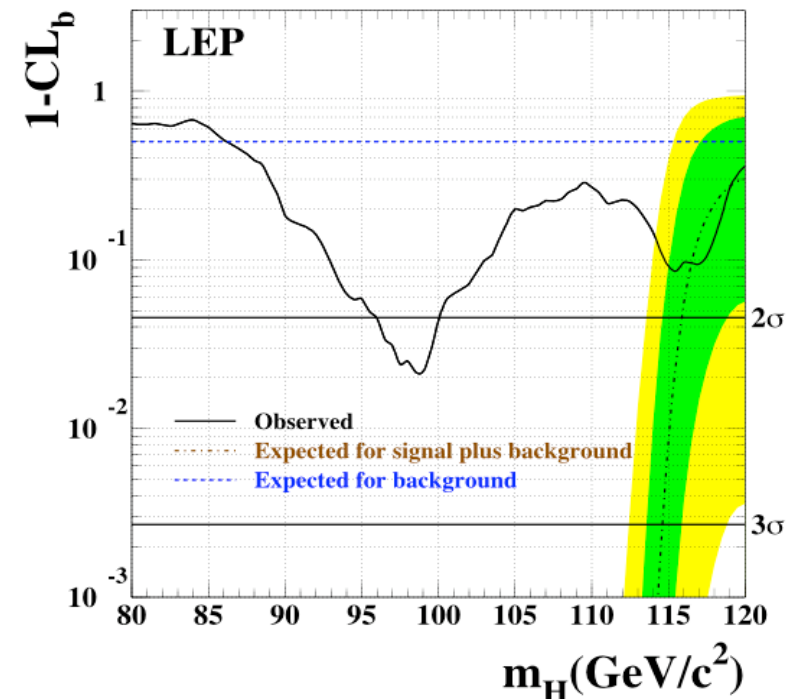
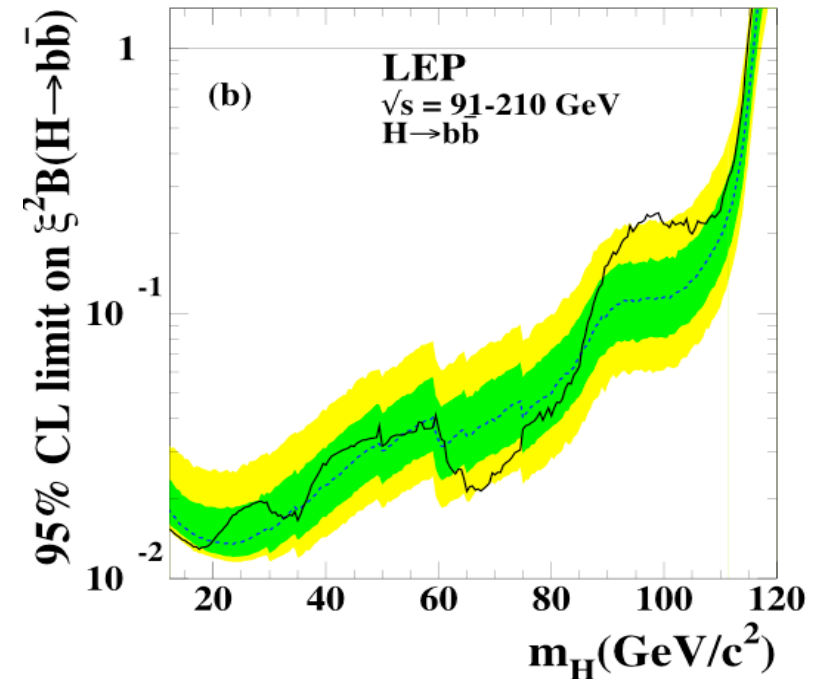
But some searches missing (or not ADLO)

ex. $h \rightarrow aa \rightarrow 4\tau$

possible in NMSSM, even MSSM?

h would be the “97 GeV” bump,

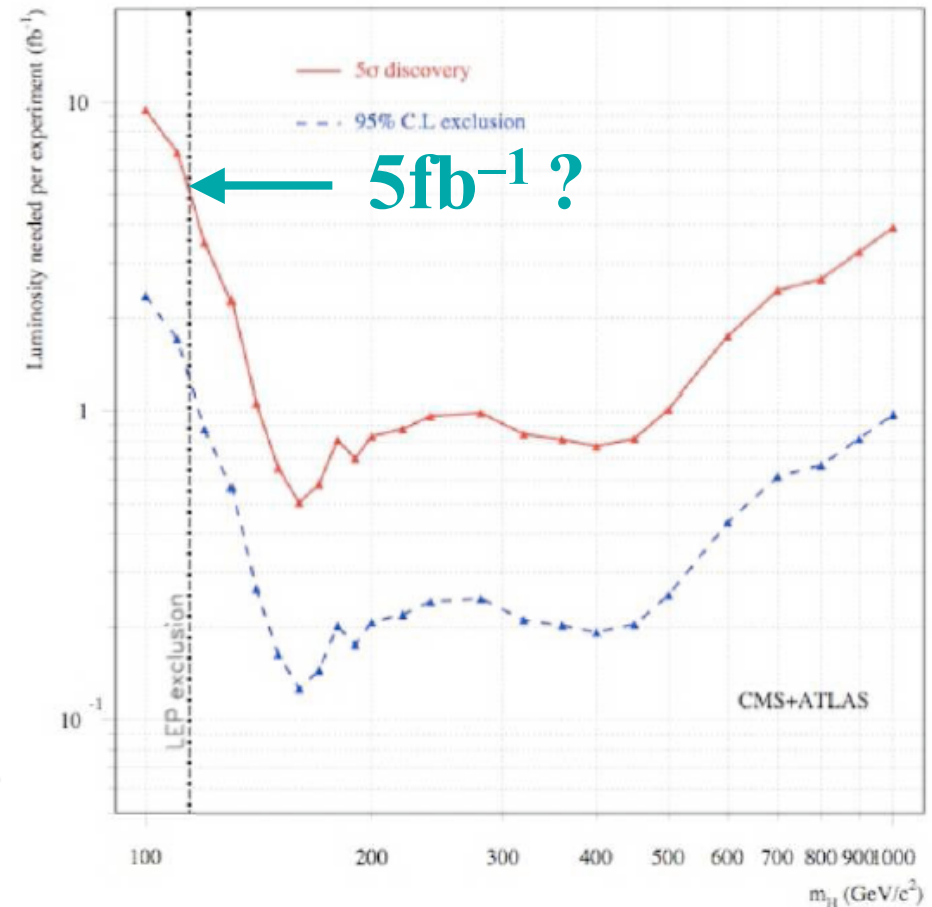
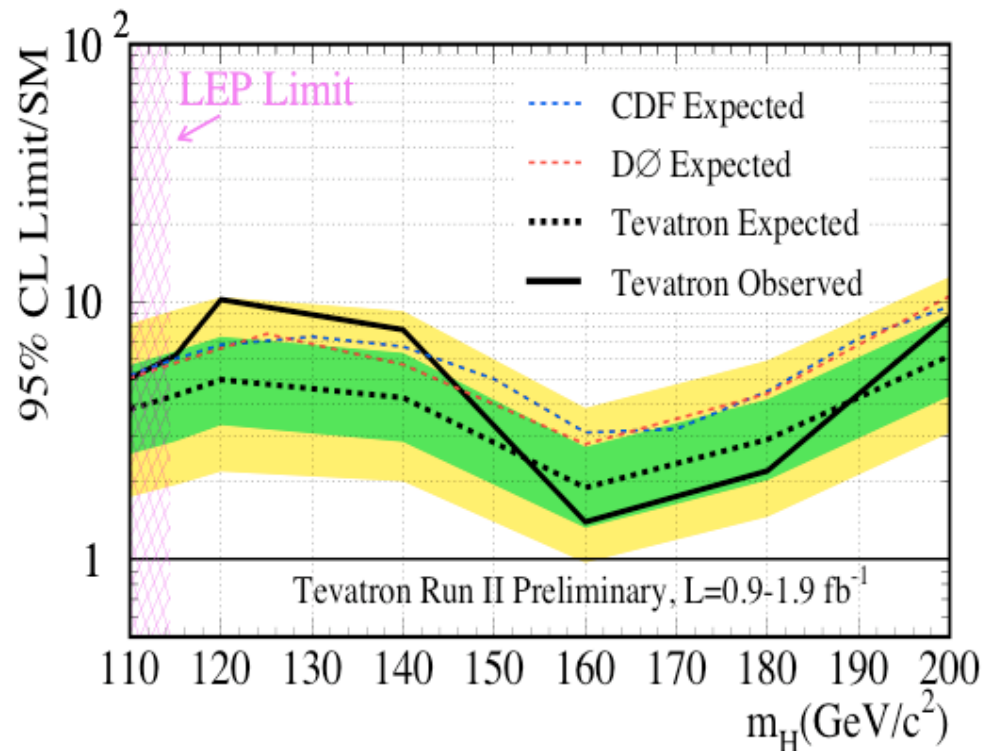
the next boson would be the “115 GeV”



Next?

LHC 0804.4401

Tevatron 0805.1248

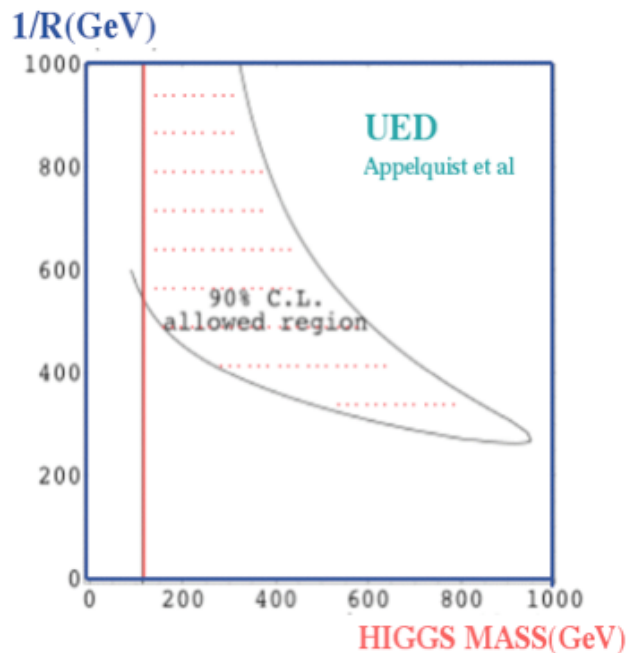


SM

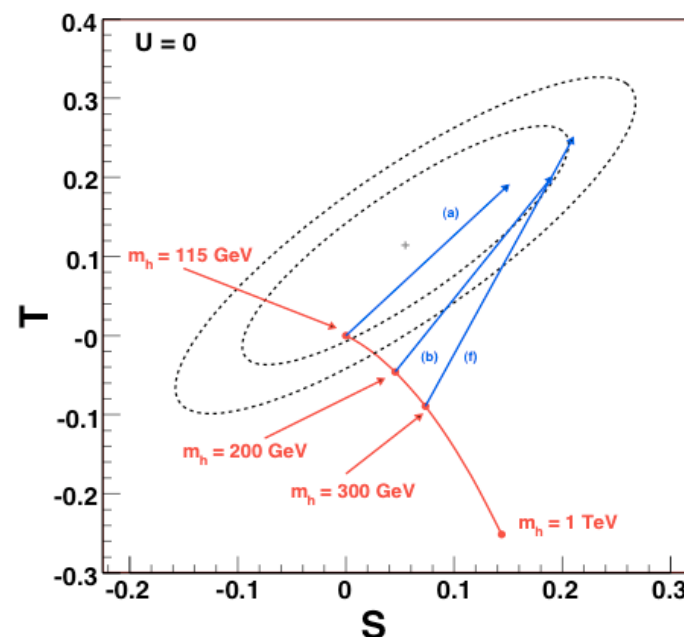
in-between: Higgs and something
else (KK, ..) share their role

Higgsless

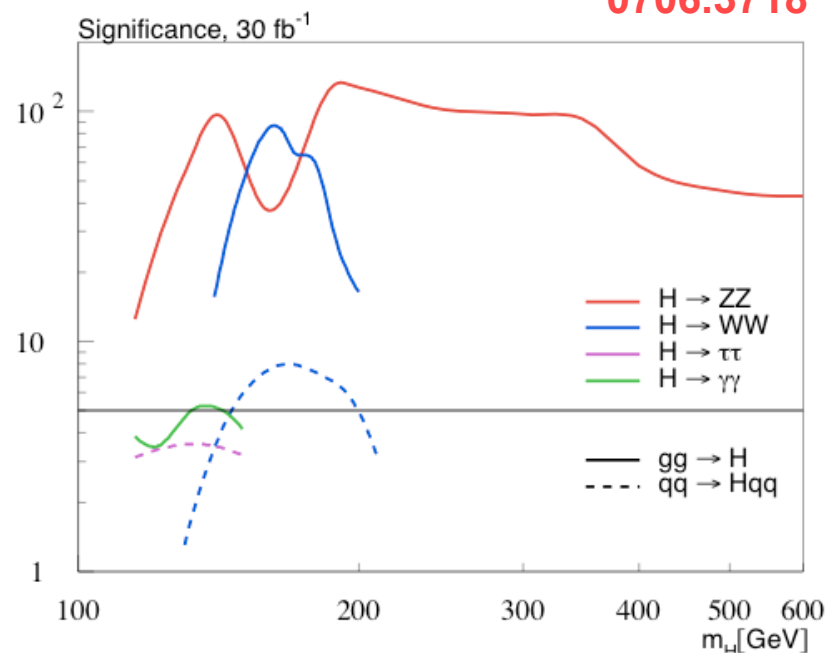
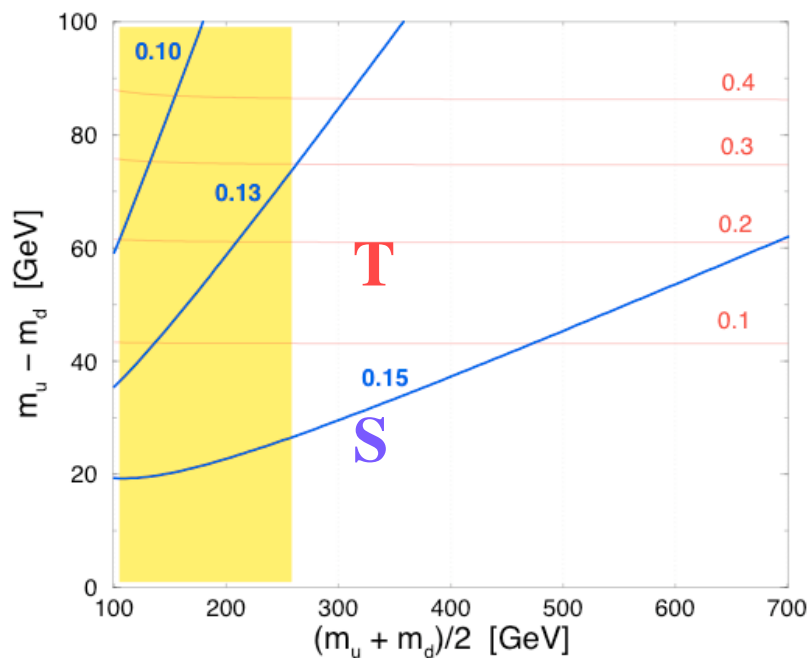
If the Higgs is more elusive,
is the "something else" more visible?



many possibilities of conspiracies with new physics, allowing for a heavier Higgs (Peskin-Wells)

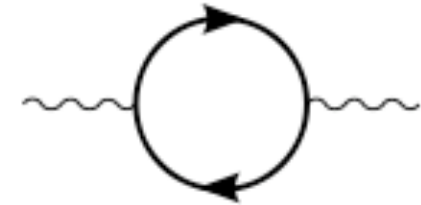


funny example: 4th generation, with heavy ν



- S,T (ϵ_i) global variables
- What was “felt” at LEP
- The ρ parameter
- The b coupling

To parameterize potential new physics contributions to e.w. radiative corrections one needs 4 vacuum polarization functions: self-energies of γ , Z, W and γ -Z mixing induced by loop diagrams



expand in
powers
of q^2/M^2

$$\Pi_{\gamma\gamma}(q^2) = q^2 \Pi'_{\gamma\gamma}(0) + \dots$$

$$\Pi_{Z\gamma}(q^2) = q^2 \Pi'_{Z\gamma}(0) + \dots$$

$$\Pi_{ZZ}(q^2) = \Pi_{ZZ}(0) + q^2 \Pi'_{ZZ}(0) + \dots$$

$$\Pi_{WW}(q^2) = \Pi_{WW}(0) + q^2 \Pi'_{WW}(0) + \dots$$

define S, T, U

measures the difference
between the number of
LH and RH doublets
carrying weak isospin

$$\alpha S = 4s_w^2 c_w^2 \left[\Pi'_{ZZ}(0) - \frac{c_w^2 - s_w^2}{s_w c_w} \Pi'_{Z\gamma}(0) - \Pi'_{\gamma\gamma}(0) \right]$$

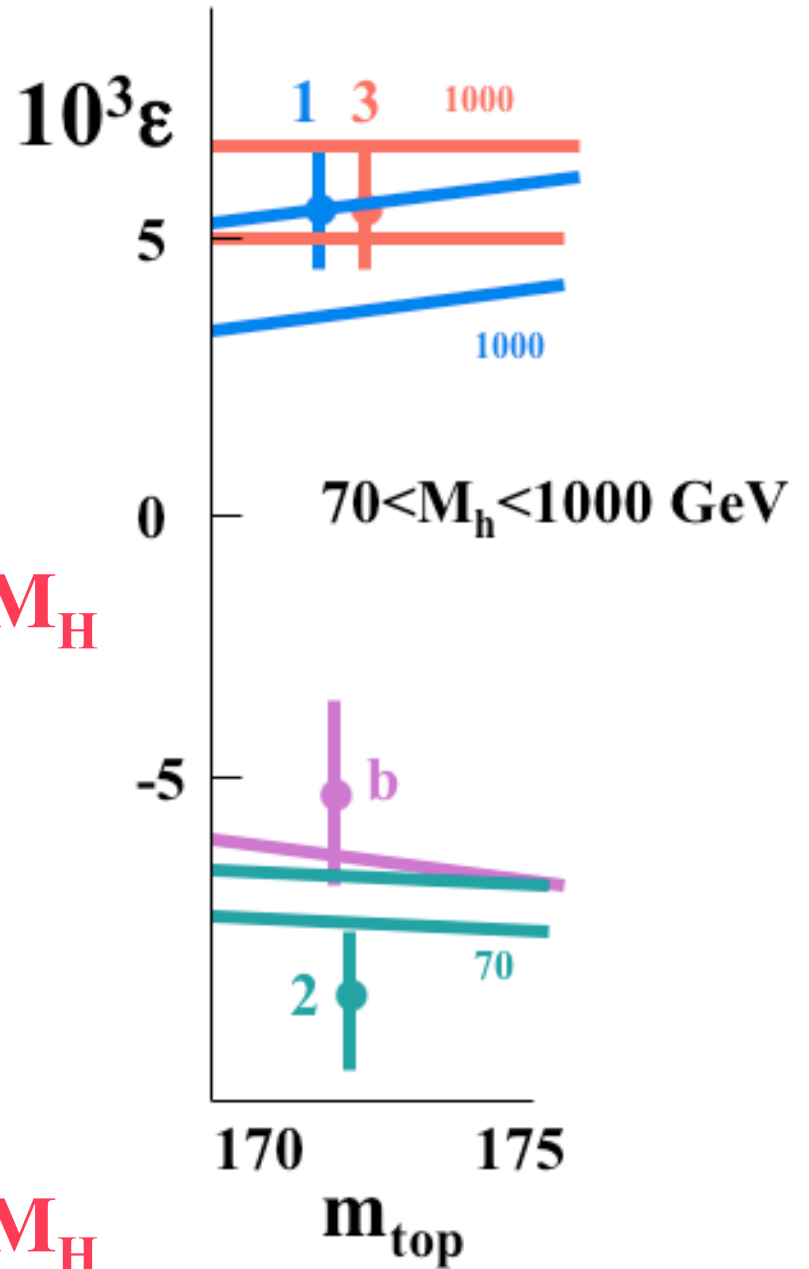
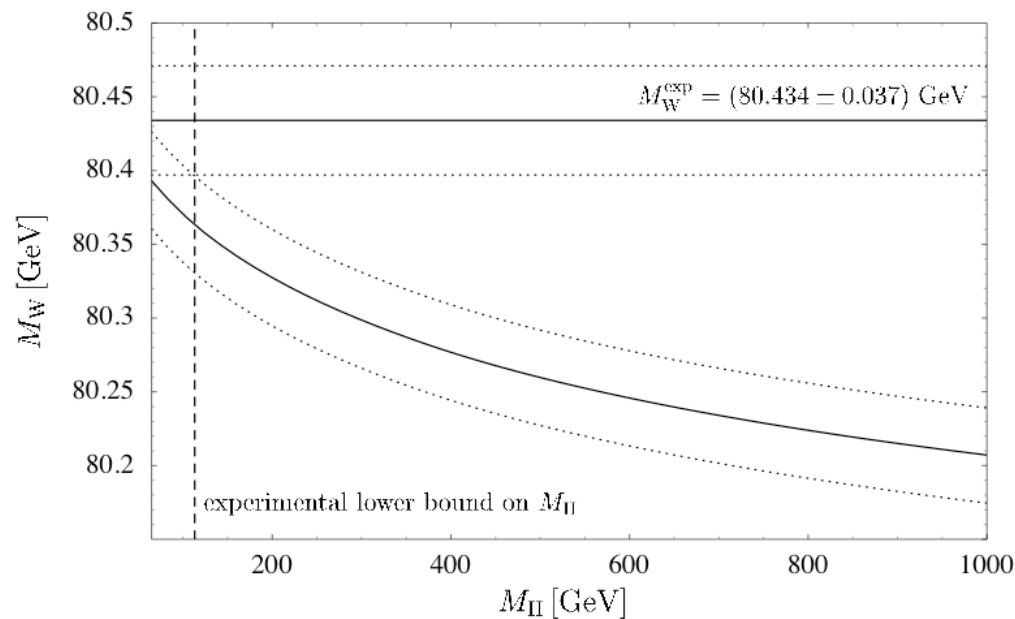
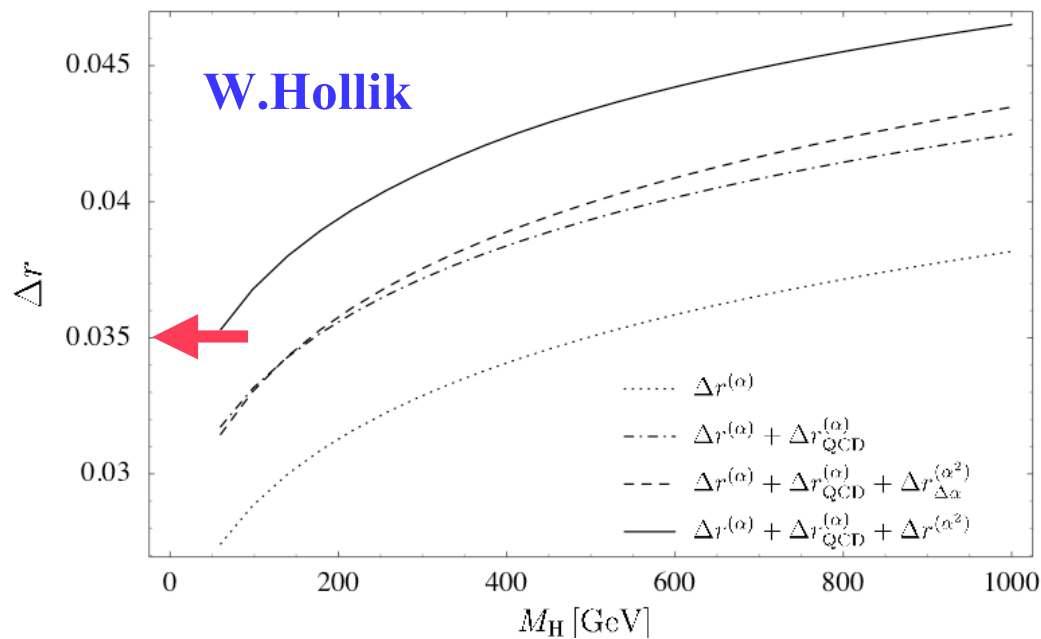
measures isospin
violation

$$\alpha T = \frac{\Pi_{WW}(0)}{M_W^2} - \frac{\Pi_{ZZ}(0)}{M_Z^2}$$

both sensitive to the Higgs mass

T ($\sim \epsilon_1$) : heavy degenerate fermions do not contribute

S ($\sim \epsilon_3$) : heavy degenerate fermions contribute



“Thus the statement that the precision data favors a light Higgs, as opposed to no Higgs at all, relies upon some theoretical baggage.” Joe Lykken

The ρ parameter

$$\rho = \frac{M_W^2}{\cos^2 \theta_W M_Z^2}$$

$$\rho = \frac{g^2}{8 \cos^2 \theta_W M_Z^2} \bigg/ \frac{g^2}{8 M_W^2}$$

relative intensity of the
neutral et charged
effective Lagrangians

$$\rho = \frac{\sum_i [T_i(T_i + 1) - (T_{3i})^2] v_i^2}{2 \sum_i (T_{3i})^2 v_i^2}$$

weak isospin

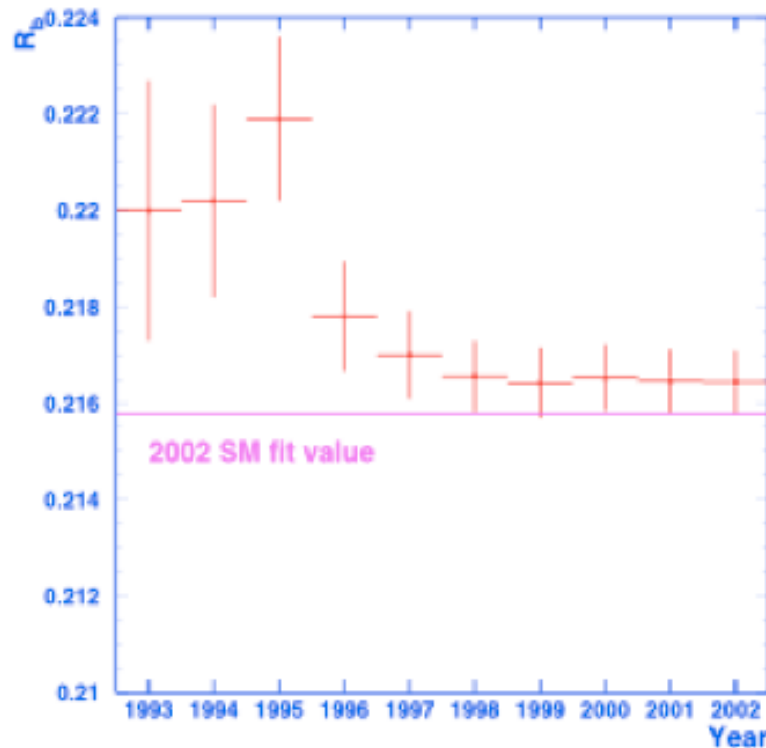
several Higgs
multiplets

z component

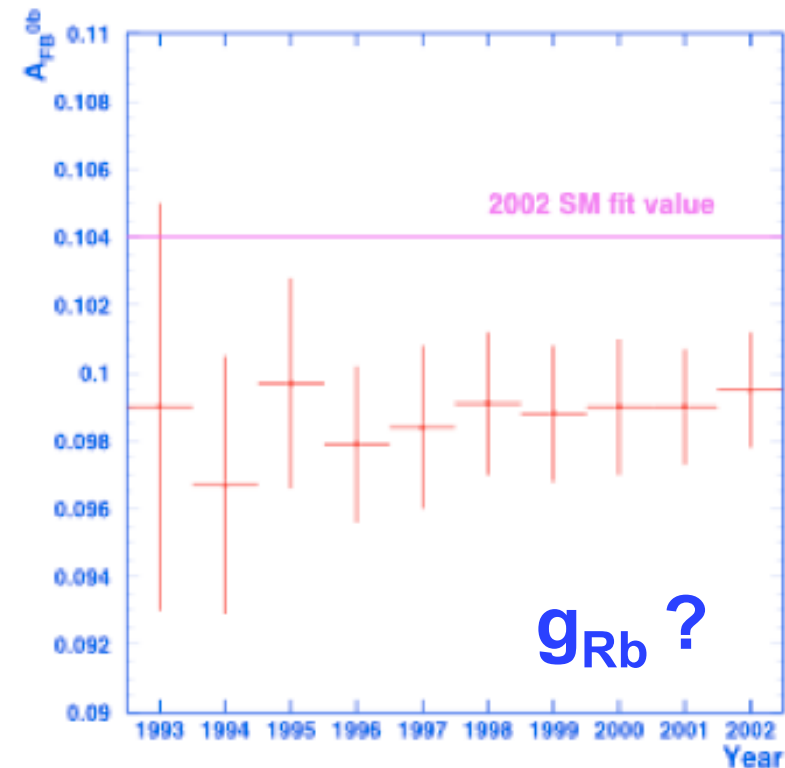
good test of the isospin
structure, also sensitive to
radiative corrections

only Higgs singlets + doublets
 $\rightarrow \rho = 1$

an anomaly that faded away: R_b



an anomaly that stayed: A_{FB}^b

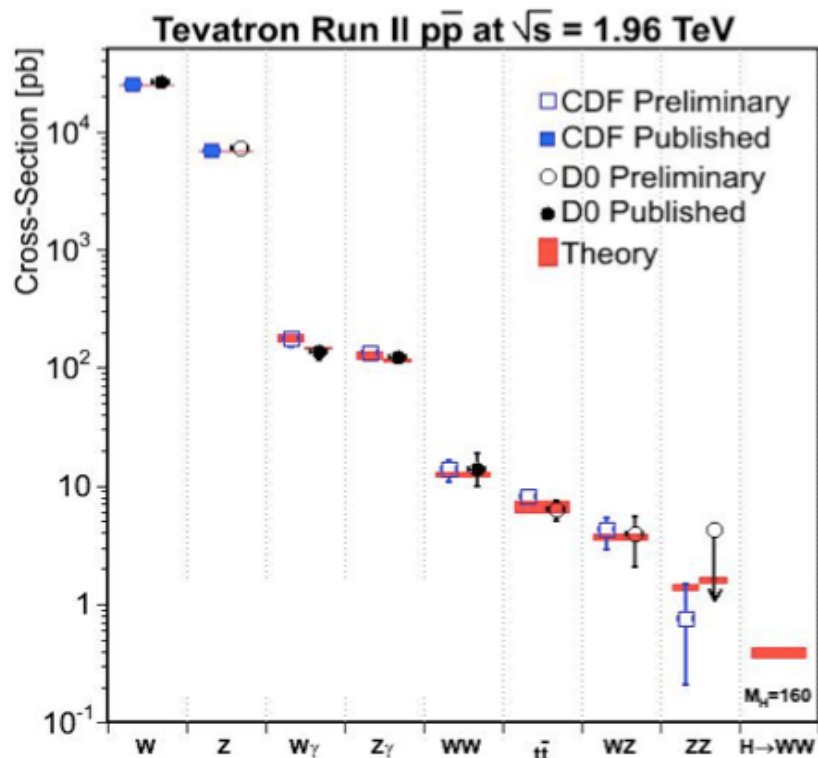


$\Delta\rho \leq 2 \cdot 10^{-3} \rightarrow$ custodial symmetry

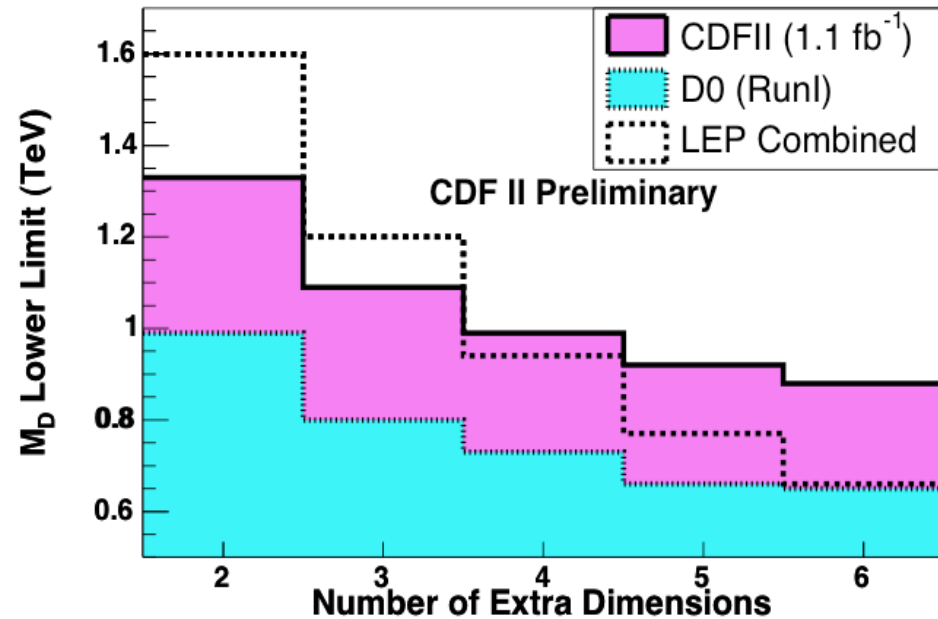
$\delta g_{Lb} / |g_{Lb}| \leq 0.25\% \rightarrow$ custodial parity

● 0605341: $O(4) \rightarrow O(3)$, equivalent to $SU(2)_L \times SU(2)_R \rightarrow SU(2)_V$
together with $L \rightarrow R$ (P_{LR})

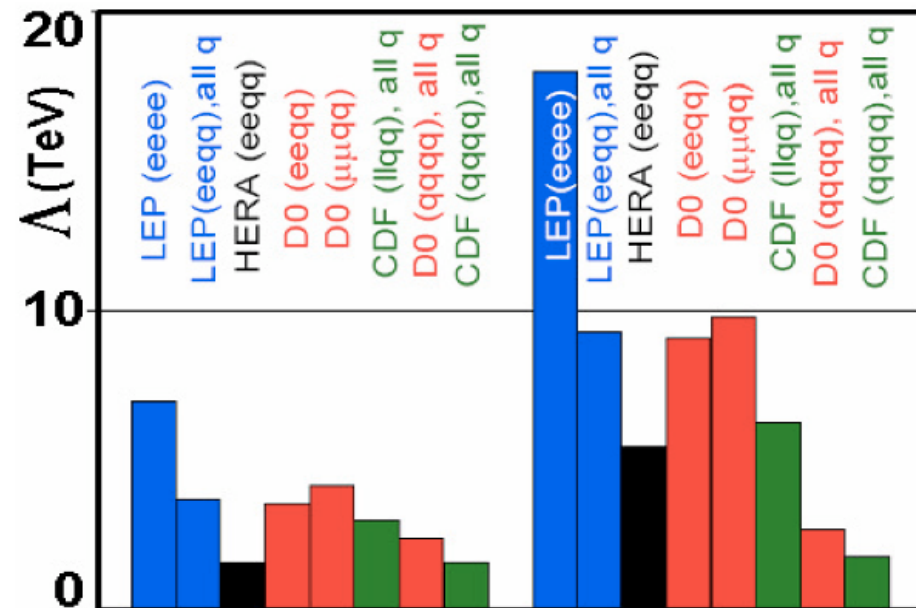
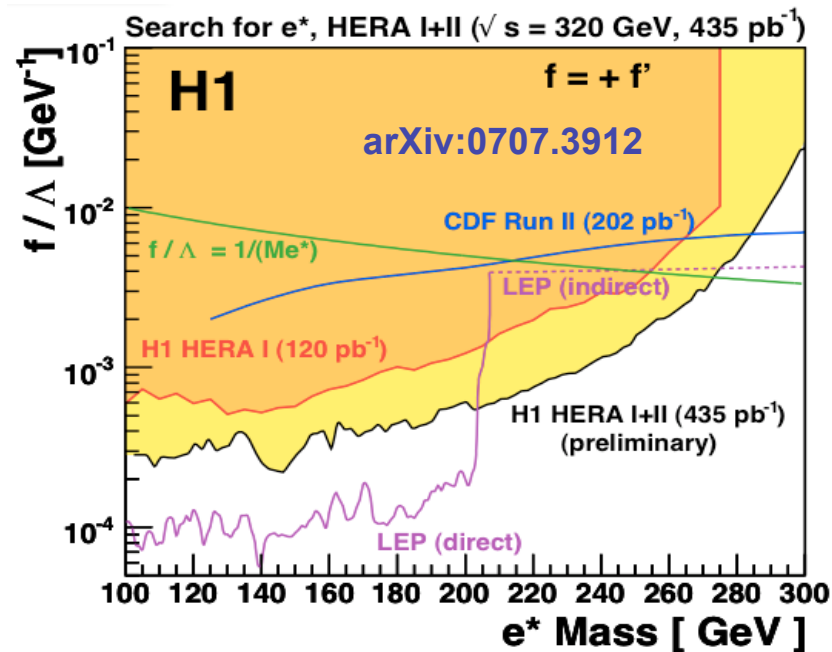
allows to protect g_{Lb} and to modify g_{Rb} , does not protect g_{Top}



hep-ex/0610087



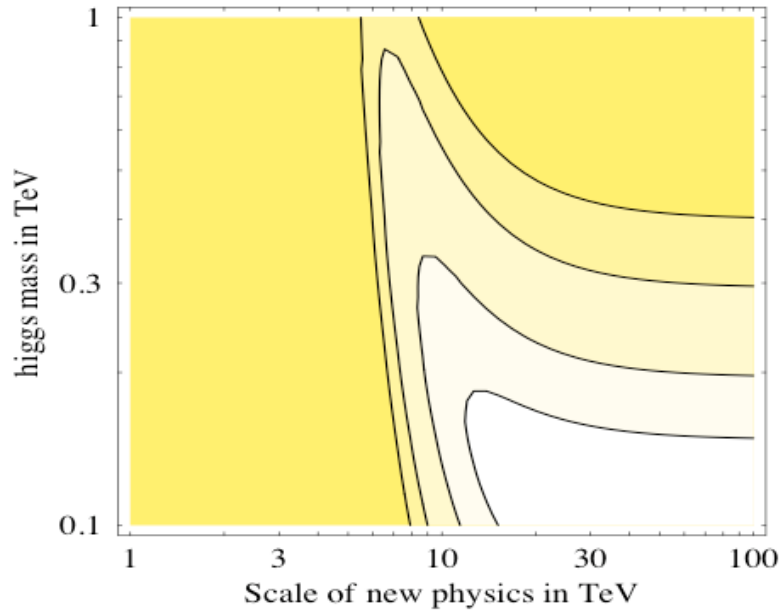
Compositeness, hep-ex/0512006



LEP paradox [hep-ph/0007265](https://arxiv.org/abs/hep-ph/0007265)

$$c_{WB} = -1$$

$$\mathcal{L}_{\text{eff}}(E < \Lambda) = \mathcal{L}_{\text{SM}} + \sum_{i,p} \frac{c_i}{\Lambda^p} \mathcal{O}_i^{(4+p)}$$



LEP2 sensitive to 4-f operators normalized as
 $\frac{4\pi}{\Lambda^2} (\bar{e} \gamma_\mu e) (\bar{f} \gamma_\mu f)$ **up to** $\Lambda \approx \sqrt{\frac{s N^{1/2}}{\alpha}} \approx 10 \text{ TeV}$
sparticles generate such operators at 1-loop
with coefficients $4\pi/\Lambda^2 \sim g^4/(4\pi m_{\text{SUSY}})^2$
→ $m_{\text{SUSY}} \gtrsim g^2 \Lambda / (4\pi)^{3/2} \approx 100 \text{ GeV}$

does not apply to SUSY

Dimensions six operators		$m_h = 115 \text{ GeV}$ $c_i = -1$ $c_i = +1$		$m_h = 300 \text{ GeV}$ $c_i = -1$ $c_i = +1$		$m_h = 800 \text{ GeV}$ $c_i = -1$ $c_i = +1$	
$\mathcal{O}_{WB}$	$= (H^\dagger \tau^a H) W_{\mu\nu}^a B_{\mu\nu}$	9.7	10	7.5	—	—	—
$\mathcal{O}_H$	$= H^\dagger D_\mu H ^2$	4.6	5.6	3.4	—	2.8	—
$\mathcal{O}_{LL}$	$= \frac{1}{2} (\bar{L} \gamma_\mu \tau^a L)^2$	7.9	6.1	—	—	—	—
$\mathcal{O}'_{HL}$	$= i(H^\dagger D_\mu \tau^a H) (\bar{L} \gamma_\mu \tau^a L)$	8.4	8.8	7.5	—	—	—
$\mathcal{O}'_{HQ}$	$= i(H^\dagger D_\mu \tau^a H) (\bar{Q} \gamma_\mu \tau^a Q)$	6.6	6.8	—	—	—	—
$\mathcal{O}_{HL}$	$= i(H^\dagger D_\mu H) (\bar{L} \gamma_\mu L)$	7.3	9.2	—	—	—	—
$\mathcal{O}_{HQ}$	$= i(H^\dagger D_\mu H) (\bar{Q} \gamma_\mu Q)$	5.8	3.4	—	—	—	—
$\mathcal{O}_{HE}$	$= i(H^\dagger D_\mu H) (\bar{E} \gamma_\mu E)$	8.2	7.7	—	—	—	—
$\mathcal{O}_{HU}$	$= i(H^\dagger D_\mu H) (\bar{U} \gamma_\mu U)$	2.4	3.3	—	—	—	—
$\mathcal{O}_{HD}$	$= i(H^\dagger D_\mu H) (\bar{D} \gamma_\mu D)$	2.1	2.5	—	—	—	—

Challenge: push Λ up to ~ 10 TeV while keeping the Higgs light

How to keep it light?

Higgs as a pseudo-Goldstone boson

Gauge invariance: gauge-Higgs unification

How to satisfy the electroweak constraints?

Custodial symmetry

Custodial parity

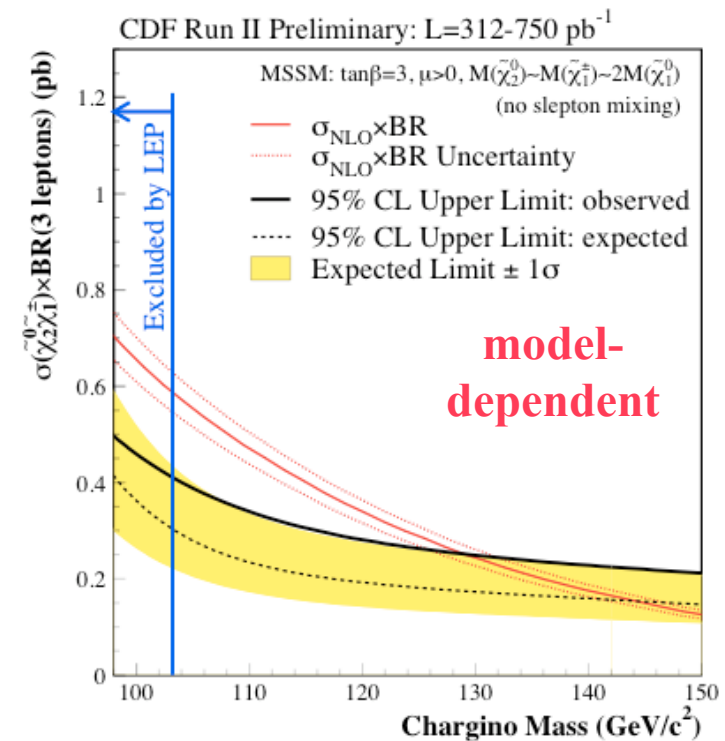
SUSY after LEP2, etc: it hides well...

LEP2 electroweak measurements have cancelled the slight preference of LEP1 measurements for light SUSY (g-2?)

hep-ph/0502095

Many final state topologies have been explored

Many lower mass limits set, usually close to LEP beam energy

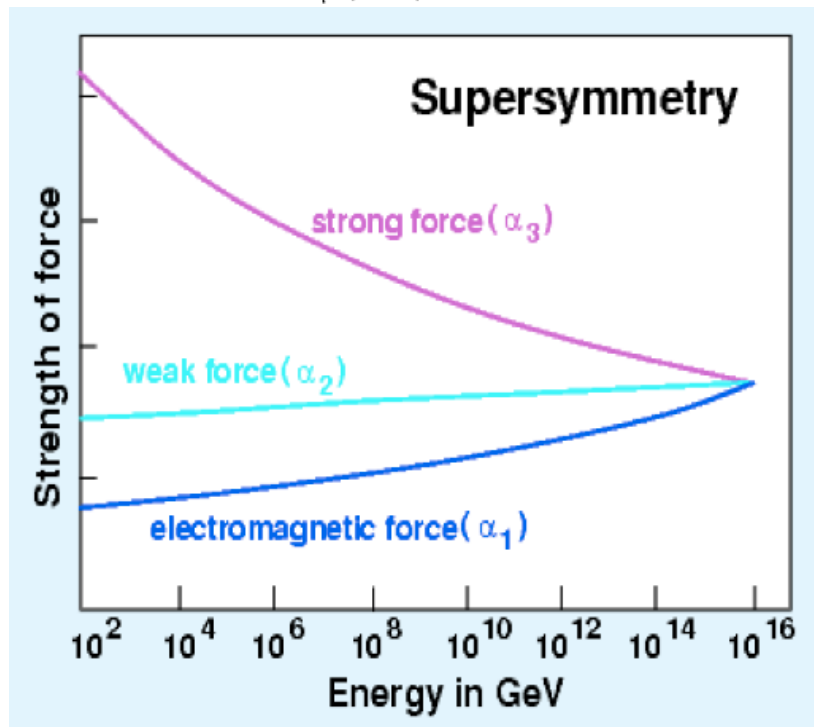
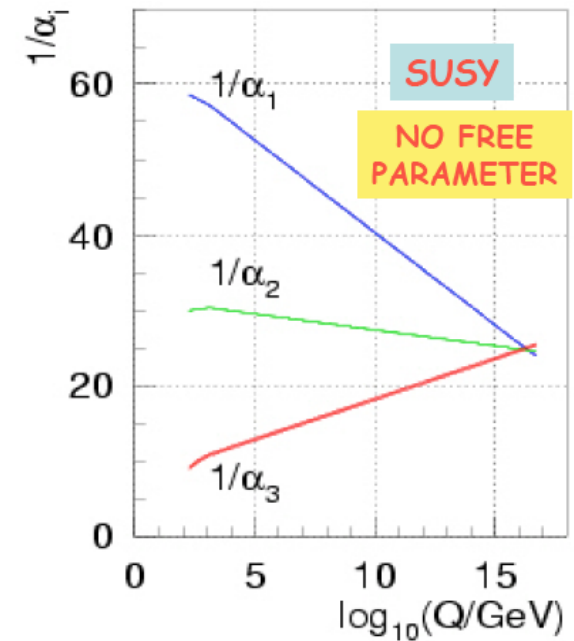
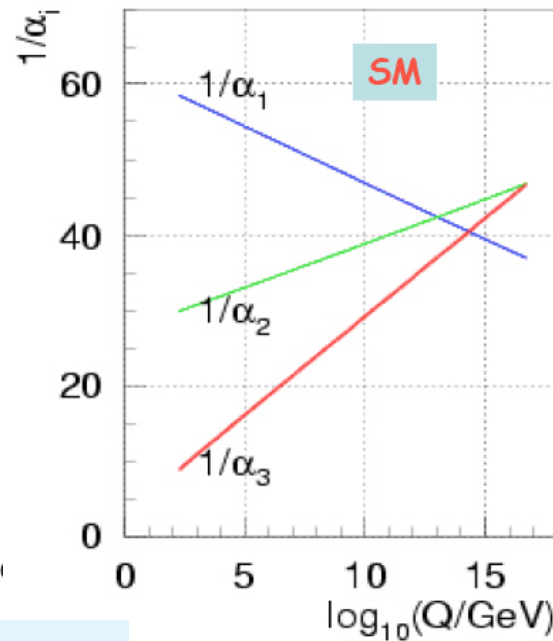
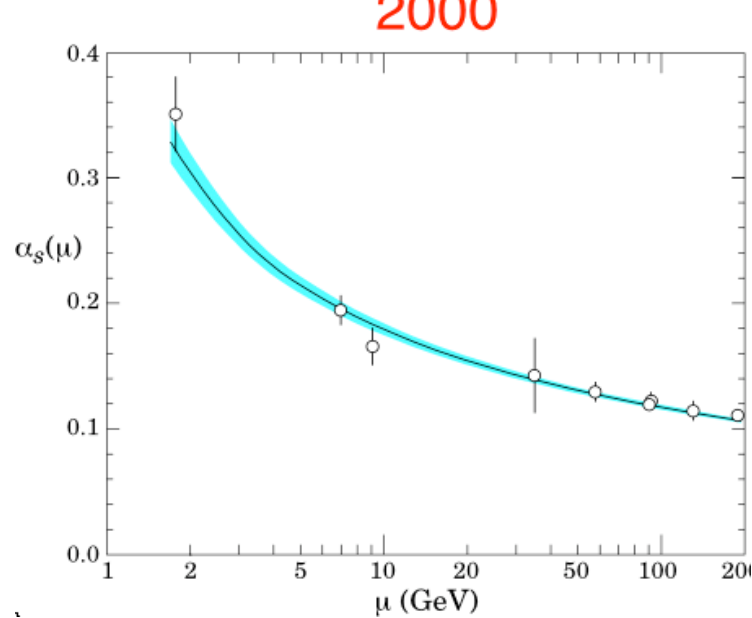


In MSSM the LSP neutralino is heavier than about 50 GeV

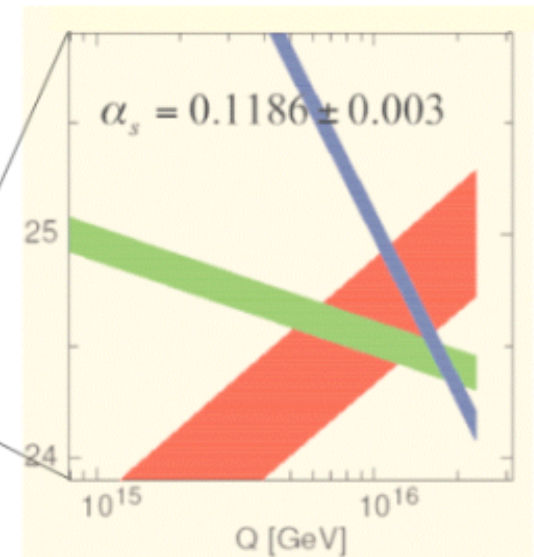
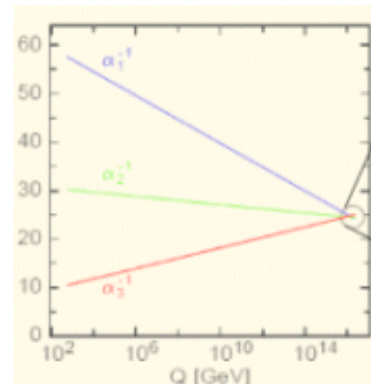
Not much has been done outside the MSSM frame

quasi perfect convergence of coupling strengths at 10^{16} GeV in low mass SUSY

2000

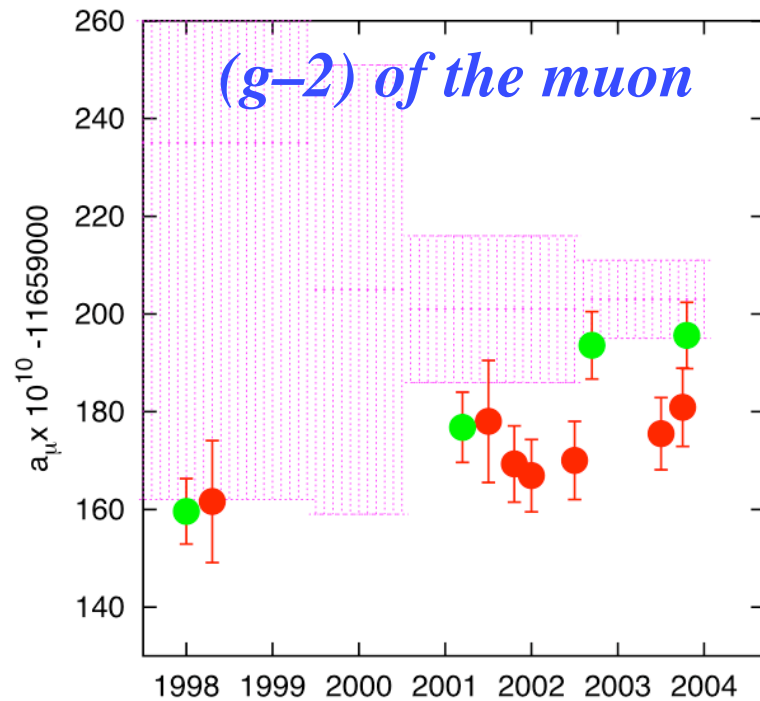


zoom



Allanach et al, hep-ph/0407067

all low energy measurements ~ SM-like, except maybe g-2 of muon



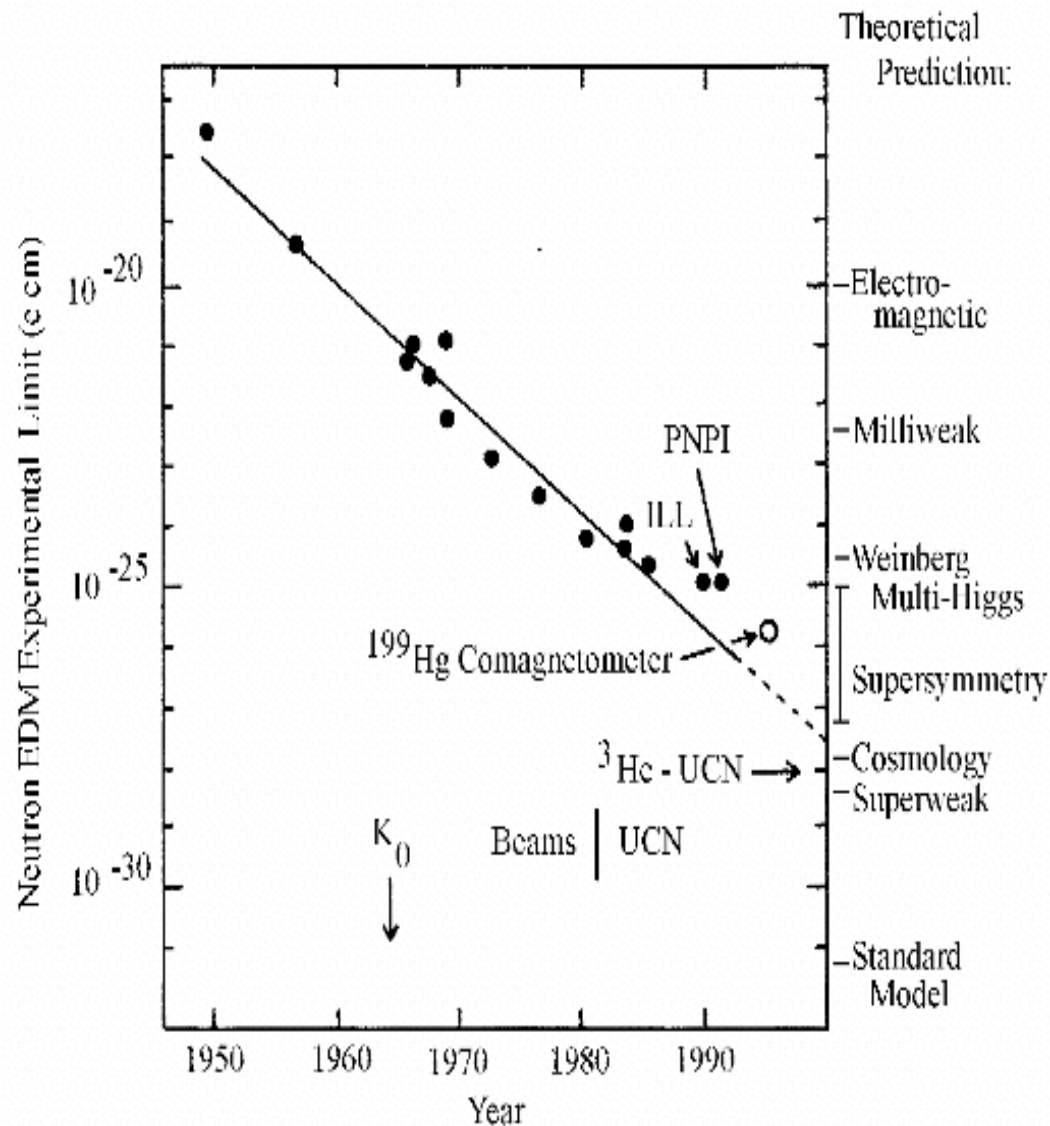
CKM matrix and its unitarity

atomic parity violation

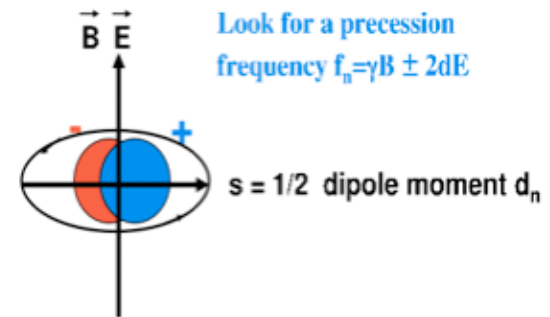
$$Q_W(\text{Cs}) = -72.39$$
$$\pm 0.29(\text{exp}) \pm 0.51(\text{th})$$
$$(Q_W(\text{Cs})^{\text{SM}} = -72.885)$$

**hope in B physics,
rare decays,
electric dipole moments
etc**

neutron EDM

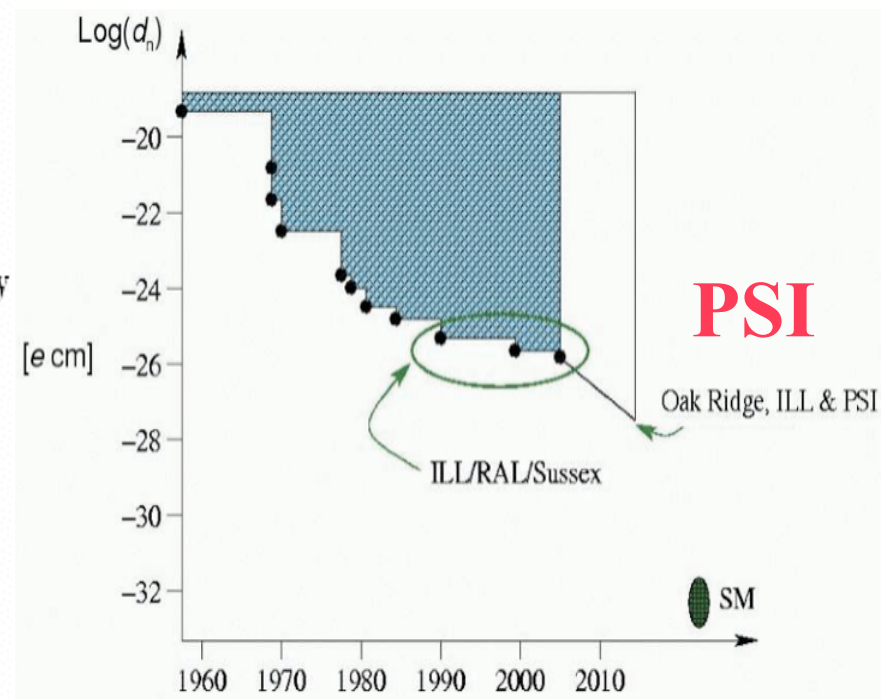


THE BASIC TECHNIQUE



10^{-25} e cm in a 10 kV/cm electric field corresponds to a shift in frequency of 0.5 μHz

Motivation: Physics Beyond the Standard Model



Kl.Kirch

STANDARDISSIMO !

except $g-2$ of the muon?

But:

neutrino masses are not zero

SM ignores gravity

dark matter

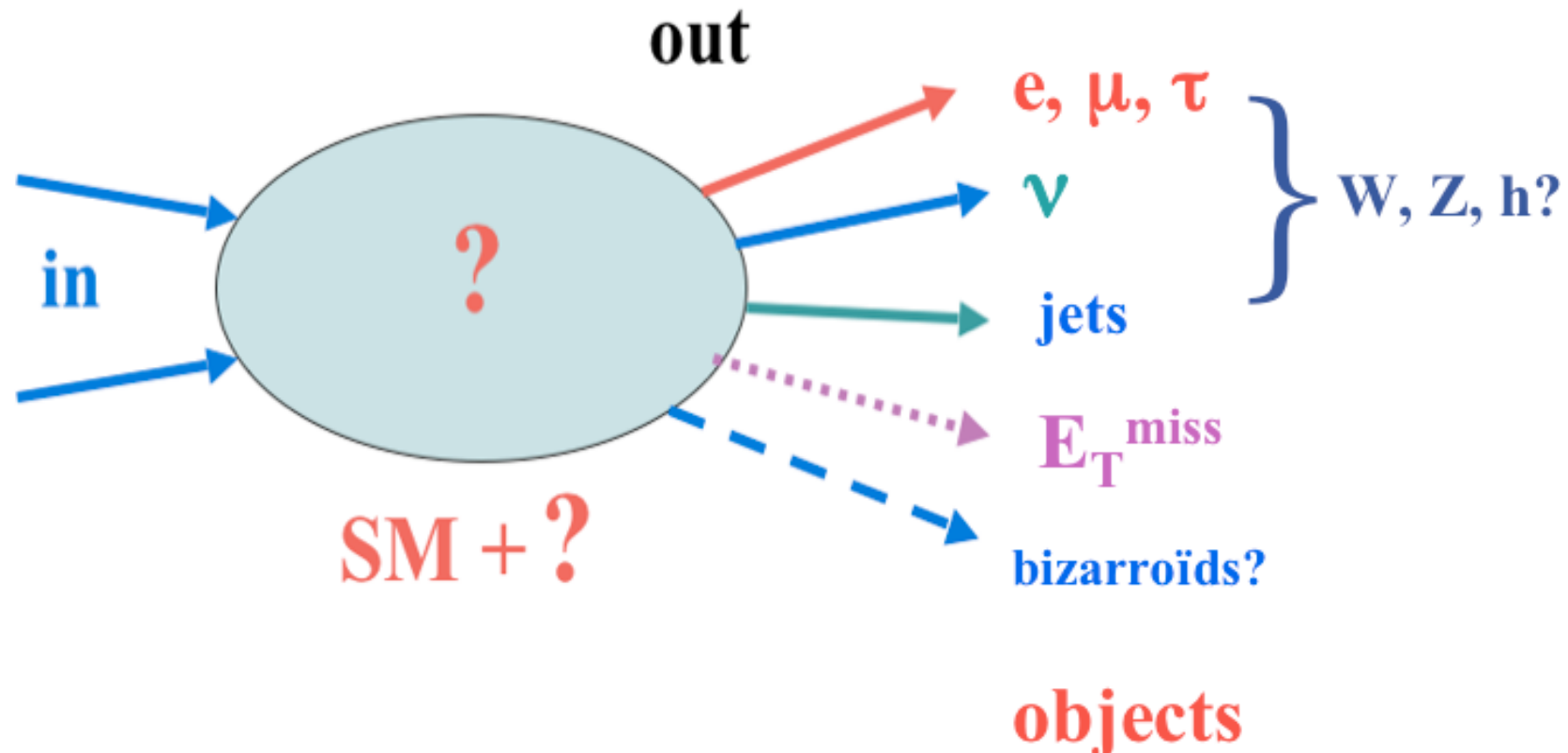
convergence of couplings

THE POSSIBLE ROADS

The “agnostic experimentalist”....

Theory inspired scenarios

GLIMPSE AT LHC PHYSICS



1/ re-discover the SM

2/ establish the existence of signals BSM, if any

3/ find out what they are: the LHC “inverse problem”

*solutions of the “small problem” of hierarchy:
the “Little Higgs”, ...*

*extradimensions
“large size” i.e.
lower Planck scale
or warped*

*one “forgets”
the problems
of hierarchy
“Split SUSY”,
“anthropic
arguments”*

***Standard
Model***

*effective theory
valid up to Λ*

*new forces and/or
new constituents
“strong” breaking of the
electroweak symmetry,
Technicolor, ..*

agreement with electroweak constraints?

*more symmetry:
Supersymmetry,
Grand Unification
 m_h^2 logarithmic in Λ*

Remarks

- many BSM models (quickly) reviewed.
For agnostic experimentalists, the goal is to get as many suggestions of eventual “signatures” as possible: the wilder, the better...
- some “préjugé favorable” concerning SUSY.
I will be brief on the MSSM and review its variants
- many “theorist” analyses, i.e. at the parton level or so. Excellent. A necessary step to show whether a channel is accessible, but not a sufficient one.

Ignore the hierarchy problem → “anthropic” reasoning ?

Solve the hierarchy problem

The Big One

4 dim

> 4 dim

SUSY

MSSM, but “tension”?

NMSSM, ...

flat
ADD

UED

warped

RS1

RS'

gaugino SUSY
breaking

Technicolor, but T?

Walking TC

The Small One,
or LEP Paradox

4 dim

> 4 dim

SUSY variants
(Split, Folded, ..)

Little
Higgs

Holographic
Technicolor

Higgsless

“Little” RS

Gauge-Higgs
unification

Higgsless

SHORT PARENTHESIS

CUSTODIAL SYMMETRY

CUSTODIAL PARITY

● **Higgs potential** $V = \lambda \left(\phi^\dagger \phi - \mu^2 \right)^2$ **renormalizable, invariant under SM**

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} \phi_1 + i\phi_2 \\ \phi_4 + i\phi_3 \end{pmatrix} \quad V = \frac{\lambda}{4} \left(\phi_1^2 + \phi_2^2 + \phi_3^2 + \phi_4^2 - 2\mu^2 \right)^2$$

$SO(4)$ isomorphic to $SU(2)_L \otimes SU(2)_R$

$$\phi_4 = H + v \quad V = \frac{\lambda}{4} \left(\phi_1^2 + \phi_2^2 + \phi_3^2 + H^2 + 2Hv + v^2 - 2\mu^2 \right)^2$$

$SO(3)$ isomorphic to $SU(2)_V$ **(diagonal part)**

● **origin of $SU(2)_R$? see later**

ϕ_i and $i \epsilon_{ij} (\phi^*)^j$ transform the same way **build the matrix**

$$\phi = \frac{1}{\sqrt{2}} \begin{bmatrix} \phi_4 - i\phi_3 & \phi_1 + i\phi_2 \\ -(\phi_1 - i\phi_2) & \phi_4 + i\phi_3 \end{bmatrix} \quad \phi' = \begin{pmatrix} \phi & \epsilon \phi^* \end{pmatrix} U_L \phi U_R^\dagger$$

$Tr(\phi^\dagger \phi)$ **is left invariant** $U_{L(R)} \in SU(2)_{L(R)}$

$\theta_L = \theta_R \rightarrow SU(2)_V$

Parenthesis: Custodial Parities

remember R-parity

$$R_P = (-1)^{3B+L+2S}$$

Baryonic Number Spin
Leptonic number

→ +1 for Standard Particles
→ -1 for Supersymmetric Partners

● KK-parity

In UED no reference brane is breaking translation invariance in ED. This implies ED momentum conservation. After compactification and inclusion of boundary terms at fixed points, the conservation law preserves a discrete parity called KK-parity. The KK parity of the n^{th} KK mode is $(-1)^n$.

The first KK can only be pair-produced and their virtual effect comes only from loops.

● T-parity

In Little Higgs models it exchanges the $[SU(2) \times U(1)]_1$ and $[SU(2) \times U(1)]_2$ gauge factors. SM gauge bosons are T-even, the new heavy ones T-odd. All the SM fermions are T-even.

- Results:**
- ★ new particles produced in pairs
 - ★ they intervene in e.w. at loop level, not tree level
 - ★ bonus of a potential candidate for dark matter, the lightest odd-parity particle

● custodial symmetry

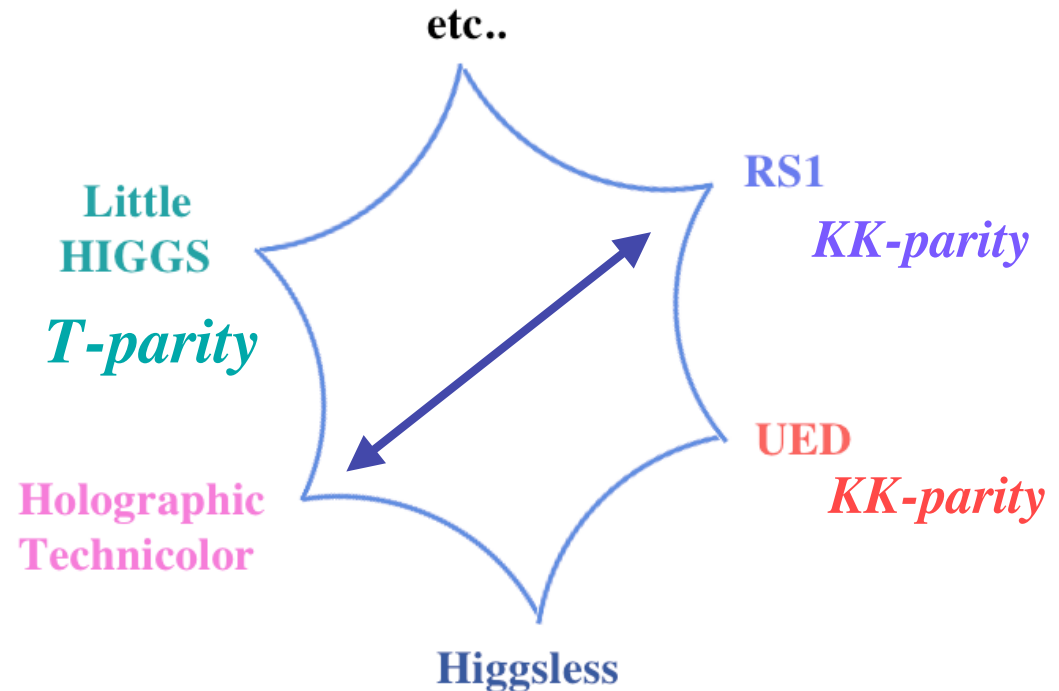
to satisfy e.w. constraints

then all models look
somewhat alike, and
like SUSY with R-parity
they differ however in
spin, in the number
of recurrences
LHC “inverse problem”

plus

custodial parity

to allow for lighter objects, for a
DM candidate, to satisfy e.g. R_b
etc..



● The AdS/CFT correspondance links 5D (RS) and 4D (Technicolor)

5th dimension



energy scale

deconstruction,

5th dimension on a lattice, etc

Is the 5th dim real or metaphoric? cf Correspondance Principle?

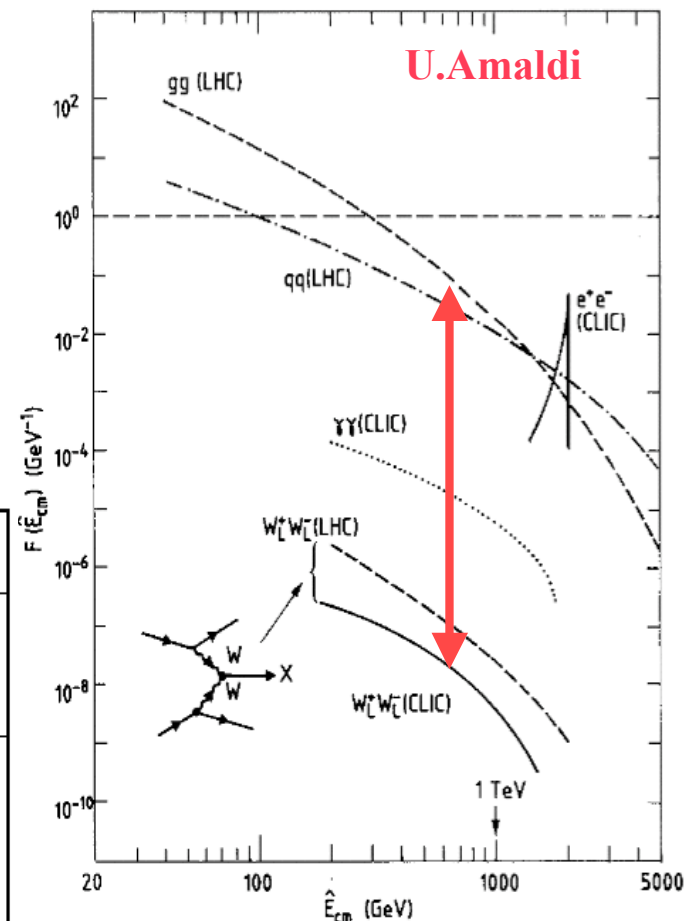
Experimentalist questions concerning BSM physics

● are the new objects sufficiently coupled to LHC colliding partons?
e.g. yes if they carry SM color and are produced by QCD
Or should one rely on vector boson fusion?

● which type of signals can one expect?

	no light vector resonance	light vector resonances
no light Higgs	Chiral lagrangians	LSTC Higgsless (D)BESS
light Higgs	SM, Strongly Interacting Light Higgs (SILH)	Warped/composite- Holographic-, Little- Gaugephobic-, Twin- Higgs LDBESS, Gauge-Higgs

from C.Grojean



● what are the main decay modes to expect? e.g. more difficult situation if the decays are mostly into top pairs

(SUSY)

HIGGSLESS

COMPOSITE

		Higgsless	Composite
VV amplitude without any KK	$\longrightarrow A(VV)$	$\approx s/v^2$	$\approx s/f^2$
mass of first KK vector	$\longrightarrow m_{\hat{V}}$ $\hat{V}VV$	$\approx g_S v$ g_S	$\approx g_S f$ g_S
coupling to light fermions	$\longrightarrow f \bar{f} \hat{V}$	$\approx g(g/g_S)$	$\approx g(g/g_S)$
coupling to 3rd generation	$\longrightarrow Q_3 \bar{Q}_3 \hat{V}$	?	strongish
	KK – quarks	–	Yes, with $\approx$ TeV mass

v =175 GeV

Barbieri 0802.3988

$\int L dt \leq 1 fb^{-1}$	mSUGRA
	$pp \rightarrow \tilde{g}\tilde{g}, \tilde{t}\tilde{t}$
	$\chi \rightarrow g_{3/2} + \gamma/Z/h$
	R-hadrons
$\int L dt = 1 \div 30 fb^{-1}$	SM-like Higgs boson
	KK quarks
$\int L dt > 30 fb^{-1}$	Susy Higgs boson system
	Minimal Dark Matter
	KK weak bosons
	KK gluons

**Rather than on physics scenarios (of which at most one is correct)
one should focus on all accessible topologies (i.e. instrumentally
manageable and for which the SM “background” is mastered)**

n leptons + m photons + p jets (+ E_T^{miss})

Re-discover the SM

**first benchmarks are ratios (W/Z, jets “in”/jets “out”, etc
check e/ μ universality**

Promising search channels are:

di-leptons (“Drell-Yan”)

di-jets

di-bosons, e.g. WZ

top-antitop

and peculiar signatures: heavy stables, displaced vertices

Back up

Variable	Measurement	Fit	$10^{O_{\text{meas}} - O_{\text{fit}}} / \sigma_{O_{\text{meas}}}$
$\Delta\alpha_{\text{had}}^{(5)}(m_Z)$	0.02758 ± 0.00035	0.02774	
m_Z [GeV]	91.1875 ± 0.0021	91.1873	
Γ_Z [GeV]	2.4952 ± 0.0023	2.4952	
σ_{had}^0 [nb]	41.540 ± 0.037	41.486	
R_l	20.767 ± 0.025	20.744	
$A_{\text{fb}}^{\text{bl}}$	0.01714 ± 0.00095	0.01641	
$A_1(P_e)$	0.1465 ± 0.0032	0.1479	
R_b	0.21629 ± 0.00066	0.21613	
R_e	0.1721 ± 0.0030	0.1722	
$A_{\text{fb}}^{\text{bl}}$	0.0992 ± 0.0016	0.1037	
$A_{\text{fb}}^{\text{bl}}$	0.0707 ± 0.0035	0.0741	
A_b	0.923 ± 0.020	0.935	
A_e	0.670 ± 0.027	0.668	
$A_1(\text{SLD})$	0.1513 ± 0.0021	0.1479	
$\sin^2\theta_{\text{eff}}^{\text{lept}}(Q_{\text{fb}})$	0.2324 ± 0.0012	0.2314	
m_W [GeV]	80.398 ± 0.025	80.382	
m_t [GeV]	170.9 ± 1.8	170.8	
$R(b \rightarrow s\gamma)$	1.13 ± 0.12	1.12	
$B_s \rightarrow \mu\mu$ [$\times 10^{-8}$]	< 8.00	0.33	N/A (upper limit)
Δa_μ [$\times 10^{-8}$]	2.95 ± 0.87	2.95	
Ωh^2	0.113 ± 0.009	0.113	

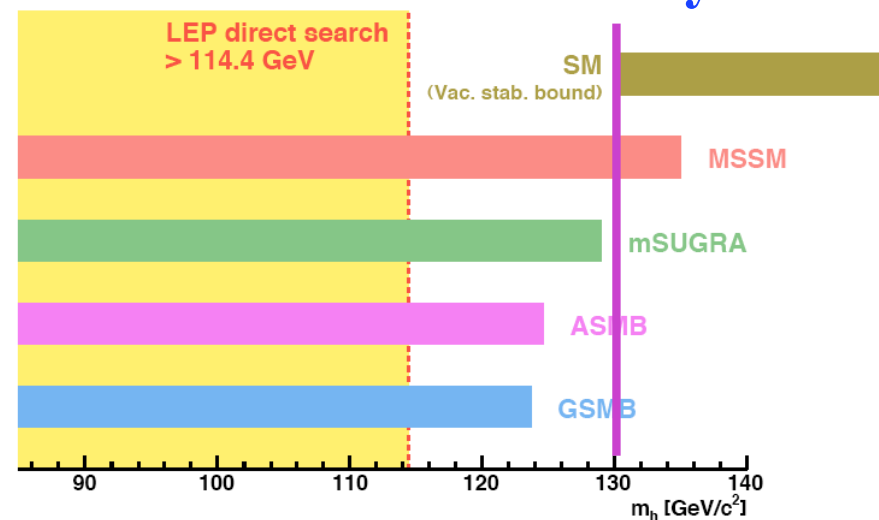
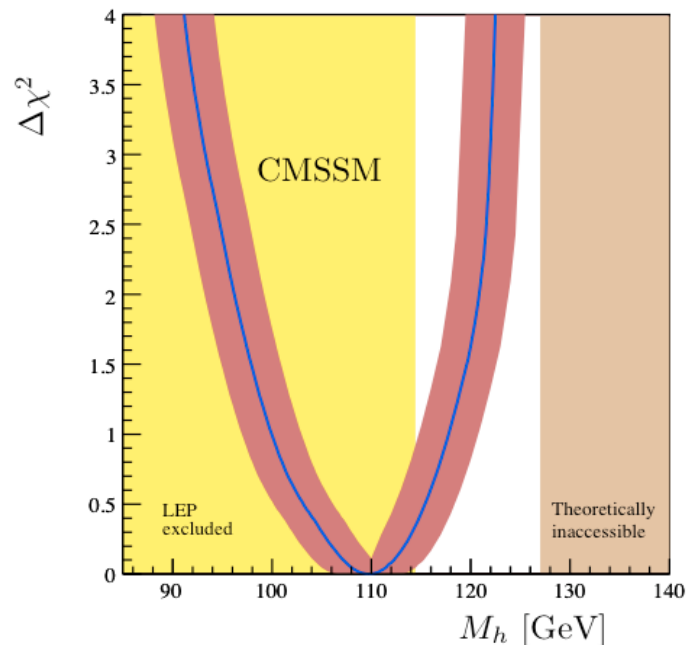
CMSSM
24-20%
incl/excl. m_h

SM
15-15%

Variable	Measurement	Fit	$10^{O_{\text{meas}} - O_{\text{fit}}} / \sigma_{O_{\text{meas}}}$
$\Delta\alpha_{\text{had}}^{(5)}(m_Z)$	0.02758 ± 0.00035	0.02768	
m_Z [GeV]	91.1875 ± 0.0021	91.1875	
Γ_Z [GeV]	2.4952 ± 0.0023	2.4957	
σ_{had}^0 [nb]	41.540 ± 0.037	41.477	
R_l	20.767 ± 0.025	20.744	
$A_{\text{fb}}^{\text{bl}}$	0.01714 ± 0.00095	0.01645	
$A_1(P_e)$	0.1465 ± 0.0032	0.1481	
R_b	0.21629 ± 0.00066	0.21586	
R_e	0.1721 ± 0.0030	0.1722	
$A_{\text{fb}}^{\text{bl}}$	0.0992 ± 0.0016	0.1038	
$A_{\text{fb}}^{\text{bl}}$	0.0707 ± 0.0035	0.0742	
A_b	0.923 ± 0.020	0.935	
A_e	0.670 ± 0.027	0.668	
$A_1(\text{SLD})$	0.1513 ± 0.0021	0.1481	
$\sin^2\theta_{\text{eff}}^{\text{lept}}(Q_{\text{fb}})$	0.2324 ± 0.0012	0.2314	
m_W [GeV]	80.398 ± 0.025	80.374	
m_t [GeV]	170.9 ± 1.8	171.3	
Γ_W [GeV]	2.140 ± 0.060	2.091	

SUSY well hidden,
but h_0 nearby!

Heinemeyer,
Daegu 2007



$$\left(1 - \frac{m_W^2}{m_Z^2}\right) \frac{m_W^2}{m_Z^2} = \frac{\pi\alpha(m_Z)}{\sqrt{2}G_F m_Z^2 (1 - \Delta r_W)}$$

$$g_A = -\frac{\sqrt{\rho}}{2} \sim -\frac{1}{2}\left(1 + \frac{\Delta\rho}{2}\right),$$

$$x = \frac{g_V}{g_A} = 1 - 4\sin^2\theta_{eff} = 1 - 4(1 + \Delta k)s_0^2.$$

$$\begin{aligned}\epsilon_1 &= \Delta\rho, \\ \epsilon_2 &= c_0^2\Delta\rho + \frac{s_0^2\Delta r_W}{c_0^2 - s_0^2} - 2s_0^2\Delta k, \\ \epsilon_3 &= c_0^2\Delta\rho + (c_0^2 - s_0^2)\Delta k.\end{aligned}$$

$$\begin{aligned}\frac{m_W^2}{m_Z^2} &= \frac{m_W^2}{m_Z^2}|_B(1 + 1.43\epsilon_1 - 1.00\epsilon_2 - 0.86\epsilon_3) \\ \Gamma_l &= \Gamma_l|_B(1 + 1.20\epsilon_1 - 0.26\epsilon_3), \\ A_l^{FB} &= A_l^{FB}|_B(1 + 34.72\epsilon_1 - 45.15\epsilon_3), \\ \Gamma_b &= \Gamma_b|_B(1 + 1.42\epsilon_1 - 0.54\epsilon_3 + 2.29\epsilon_b).\end{aligned}$$

$$\begin{aligned}\epsilon_1 &= \frac{3G_F m_t^2}{8\pi^2\sqrt{2}} - \frac{3G_F m_W^2}{4\pi^2\sqrt{2}} \tan^2\theta_W \ln\frac{m_H}{m_Z} + \dots, \\ \epsilon_2 &= -\frac{G_F m_W^2}{2\pi^2\sqrt{2}} \ln\frac{m_t}{m_Z} + \dots, \\ \epsilon_3 &= \frac{G_F m_W^2}{12\pi^2\sqrt{2}} \ln\frac{m_H}{m_Z} - \frac{G_F m_W^2}{6\pi^2\sqrt{2}} \ln\frac{m_t}{m_Z} + \dots, \\ \epsilon_b &= -\frac{G_F m_t^2}{4\pi^2\sqrt{2}} + \dots\end{aligned}$$

custodial symmetry

SUSY

- great merits from the theoretical side
- relatively abundantly produced
- mostly MSSM and SUGRA are studied

● $m_h > 114 \text{ GeV} \rightarrow$ some “tension”, $O(1\%)$ fine tuning
ways to escape:

? we missed a non SM-like light Higgs at LEP: e.g. $h(97) \rightarrow aa \rightarrow 4\tau$ (0801.4554)

? consider hidden sectors: “Hidden Valleys”, etc (0712.2041)

? move to NMSSM: proposed benchmarks (0801.4321)

? ignore the tension: Split SUSY $\rightarrow$ long-lived gluino, R-hadrons
(0612161, 0611040)

● R-parity? proton stability, LSP dark matter, missing E_T
but is it wishful thinking?

proposed benchmarks (0710.2287)

● missing $E_T + \dots$ as a privileged handle
but try also “positive” identification (0801.3799)